

Structural Design Calculation of an Industrial Factory Shed at Kolkata

A Project Report Submitted in Partial Fulfilment

of the Requirements for the Degree of

BACHELOR OF TECHNOLOGY

IN

CIVIL ENGINEERING

By

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ABSTRACT

A shed is typically a simple single storied structure that is used for storage, hobbies, or as a workshop. Sheds vary considerably in the complexity of their construction and their sizes. Sheds used in industries are very large structures. Industrial Shed constructions are metal sheathing over a metal frame, plastic sheathing and frame. Steel offers numerous possibilities to achieve both pleasant and flexible functional use. For buildings of large enclosure, the economy of the structure plays an important role. For longer spans, the design is optimized in order to minimize the use of materials, cost and installations effort. Increasingly, buildings are designed to reduce energy costs and to achieve a high degree of sustainability. Large open spaces can be created that are efficient, easy to maintain, and are adaptable as demand changes. Steel is chosen on economic grounds as well as for other aspects such as fire, architectural quality and sustainability.

The present scope of this project is to select a representative truss and analyse the truss for different load conditions possible at the project construction location. This project design was assumed to be Industrial structure at Kolkata. The aim of this project is to design an industrial factory shed economically using manual design techniques. The Project Summary Report emphasizes the structural analysis and design findings of the industrial factory shed.



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APPROVAL SHEET

This project report entitled "Design of Industrial Factory Shed" by -----

Ms. ATASI ROY MALAKAR ----- is approved for

the partial fulfillment of the requirement for the degree of **Bachelor of Technology in Civil
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CERTIFICATE

It is certified that the work contained in the project titled “ **Design of Industrial Factory Shed**”
by Ms. ATASI ROY MALAKAR----- has been carried

out under our supervision and that this work has not been submitted elsewhere for a degree.

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I express my warm thanks to Ms. T Banerjee, Mr. A K Ghosh and Mr. K K Ghosh for their support and guidance. I would also like to thank Mr. S Khan who provided me with the aiding materials for my project.

Thank you,

Atasi Roy Malakar.

CONTENTS

<u>SL. No.</u>	<u>Topic</u>	<u>Page Range</u>
1	Problem and Data	1-2
2	Truss Load Analysis	1-5
3	Purlin and Truss Member Design	1-9
4	Bracing Design - Rafter & Eaves level bracing	1-4
5	Gantry Section Design	1-8
6	Stepped Column Design	1-4
7	Foundation (Base Plate Only) Design	1-2
8	Drawing	1-2
9	Reference	1

PROBLEM AND DATA

CE- 783: Project Part- 1

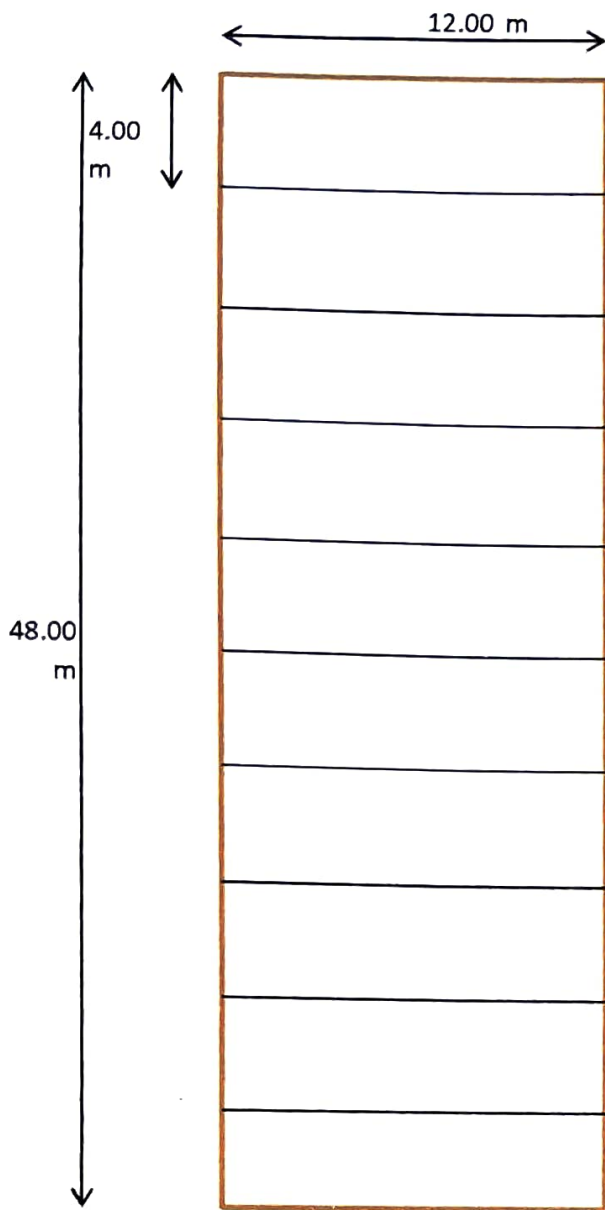
- Q1. Design an industrial factory shed at Kolkata which includes:
- a) Truss Bracing
 - b) Gantry Girder
 - c) Column with connection
 - d) Foundation (Base Plate only)
- Q2. Draw a general arrangement drawing showing:
- a) Grid Plan
 - b) Plan at Eaves level
 - c) Plan at rafter level
 - d) Plan at Bracing level
 - e) Roof truss arrangement showing connection details

DATA SHEET

Span of Truss (a)=		12.00 m
Spacing of Columns (b)=		4.00 m
Ratio of height & span of truss, ie. Pitch=		0.16
Length of Factory Shed=		48.00 m
Spacing of Gantry Columns=		16.00 m
Crane Capacity=		500.00 kN
Corrugated Asbestos cement used @=		171.00 N/m ²
Self Weight of Purlins=		90.00 N/m
Self Weight of Bracing=		13.00 N/m ²
Self Weight of Crane=		350.00 kN
Self Weight of Crab=		140.00 kN
Wheel Base Distance of Crane=		4.75 m
Minimum Approach Distance=		1.20 m
Height of Rail=		150.00 mm
Nature of Crane, EOT or Hand operated=		EOT
Rail Level=		7.60 m
Truss Level=		10.75 m

Grade of Steel used=		Fe-	410
fu=			410.00 Mpa
fy=			250.00 MPa
Grade of bolt used=			4.6
Partial safety factors=	γ_{m0} =		1.10
	γ_{m1} =		1.50
	γ_{m1} =		1.25
Load Factor=	ϵ =		1.00

GRID PLAN OF FACTORY SHED:



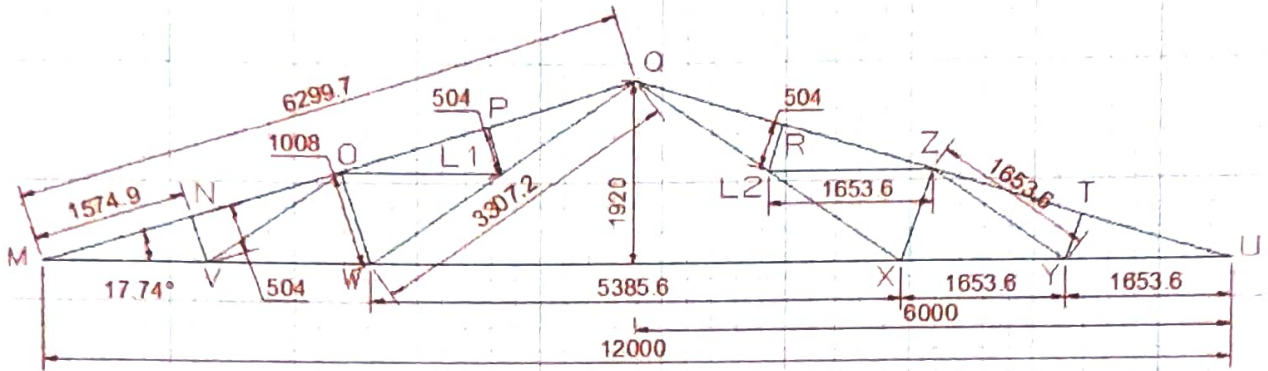
(NOT TO SCALE)

TRUSS LOAD ANALYSIS

TRUSS CONFIGURATION:

Span of truss= 12.00 m and pitch= 0.16
 hence, height of truss=pitch*span= 1.92 m
 Let θ be the inclination of the roof with the horizontal.
 So, $\tan \theta = \text{height/half base} = 0.32$ ie., $\theta = 0.31$ radians
 or $\theta = 17.74467^\circ = 17^\circ$ (degs) 45' (mins)

So, length of Rafter= $\sqrt{(\text{span}/2)^2 + (\text{height})^2} = 6.299714$ m
 Length of each panel= 1.574929 m= 1.57 m



SPACE DIAGRAM OF TRUSS
 (ALL DIMENSIONS IN MM)

LOADS ON PANEL POINTS:

i) *Dead Load:*

Given, self-weight of bracing= 13.00 N/m²
 Dead Weight of AC sheets= 171.00 N/m²
 Self weight of Roof truss by empirical formula= (Span/3 + 5)*10= 90 N/m²
 Self weight of Purlin= 90.00 N/m= 720.00 N
 Panel length= 1.57 m
 Panel length in plan= 1.495306 m= 1.5 m
 So, Load on each intermediate panel due to dead load= 2184 N= 2.184 kN(approx)
 Load on end panel joints(0.5 X intermediate panel load)= 1.092 kN

ii) *Live Load:*

Here, $\theta = 17.74467^\circ$
 Let the roof be inaccessible, then live load (750 N/m²) is reduced by 20 N/m² for each one degree increase above 10° slope.
 So live load= 595.1066 N/m²

The load on each intermediate panel= 3570.639 N= 3.571 kN (approx)
 And load on each half node/end panel point= 1.79 kN

iii) Wind Load

Location: Kolkata, WB, India

(Reference- IS 875-part III Appendix A)

According to 5.3.2.1 of the said code, let us assume the structure will be constructed in a terrain with numerous closely spaced obstructions having size of building-structures up to 10 m. With or a few isolated tall structures.

Total height of the structure= 10.75 m (upto eaves level)

Plan dimension of structure=length= 48.00 m and its width= 12.00 m

Therefore, maximum dimension of the structure is in the range= 20-50 m

So the structure belongs to the class B (As per cl. 5.3.2.2 of IS 875)

From table 2 of IS-875 part III 1987, for height of structure= 10.75 m & class B

interpolated value of k_2 = 0.889

That is, k_1 = 1 (Risk coefficient for 50 Years)

k_2 = 0.889

k_3 = 1 (Topography factor for plain land)

V_b = 50 m/s (For Zone 2)

So, design wind speed, V_z = $k_1 k_2 k_3 V_b$ = 44.45 m/s (As per cl. 5.3.3.1)

P_d = Design wind pressure= $0.6 V_z^2$ = 1185.48 N/m²= 1.185 kN/m²

Wind force as per cl. 6.2.1, $F=(C_{pe}-C_{pi}).P_d A$

<> Determination of External and Internal Pressure coefficient of roof:

From table 5 of reference code, height, h = 10.75 m and width, w = 12.00 m

So, h/w = 0.895833, so h/w lies in the range of $(3/2 > h/w > 1/2)$ and θ = 17.744672

Let us assume the building has normal permeability.

In the case of buildings with openings consisting of not more than about 5% of wall area but without any large openings, it is necessary to consider the possibility of the internal pressure being both positive and negative.

Two design conditions of internal pressure coefficient= +0.2 and -0.2 will be considered.

Where, positive sign indicates pressure and negative sign indicates suction.

Slope(°)	Wind angle 0°		Wind angle 90°	
	EF	GH	EF	GH
10	-1.1	-0.6	-0.8	-0.6
17.74	-0.790213	-0.522553	-0.8	-0.6
20	-0.7	-0.5	-0.8	-0.6

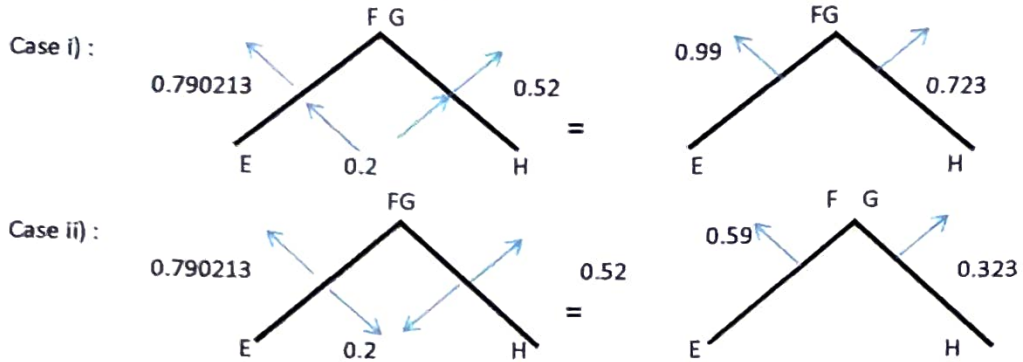
For EF, interpolating value corresponding to slope of 17.74 ° and wind angle 0°
 $= (-0.7 - (-1.1)) / (20-10) \times (17.74 - 10.00) + (-1.1)$
 $= -0.790213$

For GH, interpolating value corresponding to slope of 17.74 ° and wind angle 0°
 $= (-0.5 - (-0.6)) / (20 - 10) \times (17.74 - 10.00) + (-0.6)$
 $= -0.522553$

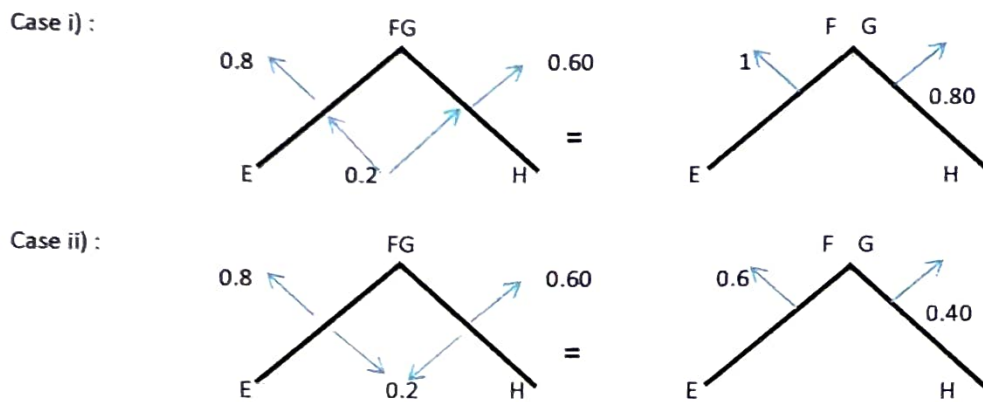
Assuming that opening of the factory shed is < 5%, as per cl. 6.2.3.1, C_{pi} = ± 0.2

4 cases arise:

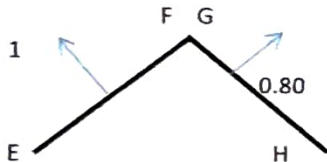
a) Algebraic sum of C_{pe} and C_{pi} when wind angle = 0°



b) Algebraic sum of C_{pe} and C_{pi} when wind angle = 90°



From all the above mentioned conditions, the most critical condition is chosen, which is:



<> Determination of Total Nodal forces:

Here, $C_{pe} - C_{pi} = 1$ (Considering symmetrical loading, we take the max value for both sides)
 $P_d = 1185.482 \text{ N/m}^2$
 Area, $A = 1.58 \times 4.00 = 6.3 \text{ m}^2$

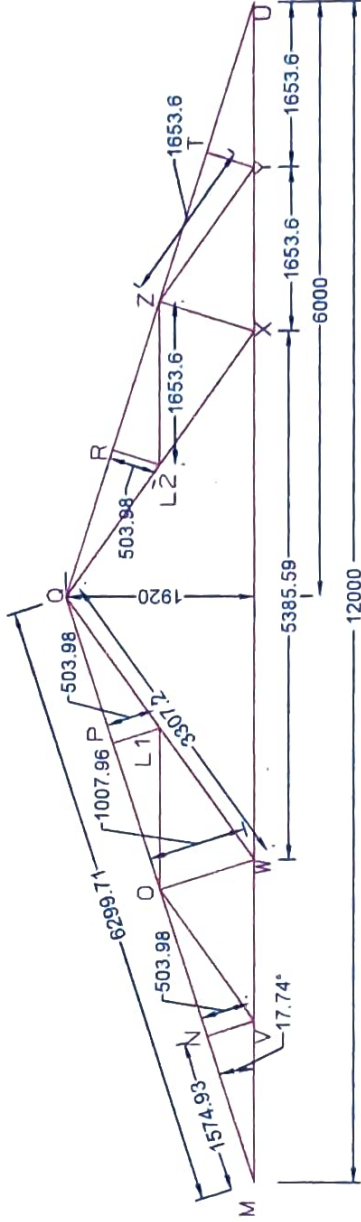
Total wind force on windward and leeward side, as per cl. 6.2.1, $F = (C_{pe} - C_{pi}) \cdot P_d \cdot A$
 that is, $F = 7468.533 \text{ N} = 7500 \text{ N}$ (suction in nature)

So, load on each full node on each side = 7.5 kN (suction in nature)
 And, load on each half node on each side = 3.75 kN (suction in nature)

iii) Member forces: (Reference: Enclosed AutoCAD drawing)
Compression: (+); Tension: (-)

Member Name	Stress Member	Type of Member	Length (m)	Calculation of the truss member force for DL, LL & WL					Wind Load			Load Combination					
				DL & LL			DL (kN)	LL (kN)	Unit Force	WL	WL (kN)	1.5(DL+LL) (kN)	1.5(DL+WL) (kN)	1.2(DL+LL) (kN)	Maximum Tension	Maximum Compress	Maximum Length(m)
				Unit Force	P _d	P _t											
MN & UT	b-1, i-13	Rafter	1.57	11.484	2.184	3.571	25.08106	41.009364	10.937	7.5	-82.0275	99.13563	-85.41967	-19.1245	88.41393 kN	99.13563 kN	1.57
NO & TZ	c-2, h-12		1.57	11.179	2.184	3.571	24.41494	39.920209	10.937	7.5	-82.0275	96.50272	-86.41885	-21.23083			
OP & ZR	d-5, g-9		1.57	10.874	2.184	3.571	23.74882	38.831054	10.937	7.5	-82.0275	93.86981	-87.41803	-23.33716			
PQ & RQ	e-6, f-8		1.57	10.57	2.184	3.571	23.08488	37.74547	10.937	7.5	-82.0275	91.24553	-88.41393	-25.43658			
MV	1-k	Bottom Tie	1.654	10.938	2.184	3.571	-23.88859	-39.059598	10.265	7.5	76.9875	-94.42229	79.64836	16.84717	94.42229 kN	79.64836 kN	5.386
VW	3-k		1.654	9.375	2.184	3.571	-20.475	-33.478125	8.624	7.5	64.68	-80.92969	66.3075	12.87225			
WX	7-k		5.386	6.25	2.184	3.571	-13.65	-22.31875	5.343	7.5	40.0725	-53.95313	39.63375	4.9245			
XY	11-k		1.654	9.375	2.184	3.571	-20.475	-33.478125	8.624	7.5	64.68	-80.92969	66.3075	12.87225			
YU	13-k		1.654	10.938	2.184	3.571	-23.88859	-39.059598	10.265	7.5	76.9875	-94.42229	79.64836	16.84717			
NV	1-2	Strut	0.504	0.952	2.184	3.571	2.079168	3.399592	1	7.5	-7.5	8.21814	-8.131248	-2.425488	16.25922 kN	16.44491 kN	1.008
OW	3-4		1.008	1.905	2.184	3.571	4.16052	6.802755	2	7.5	-15	16.44491	-16.25922	-4.84407			
PL1	5-6		0.504	0.952	2.184	3.571	2.079168	3.399592	1	7.5	-7.5	8.21814	-8.131248	-2.425488			
RL2	8-9		0.504	0.952	2.184	3.571	2.079168	3.399592	1	7.5	-7.5	8.21814	-8.131248	-2.425488			
ZX	10-11		1.008	1.905	2.184	3.571	4.16052	6.802755	2	7.5	-15	16.44491	-16.25922	-4.84407			
ZY	12-13		0.504	0.952	2.184	3.571	2.079168	3.399592	1	7.5	-7.5	8.21814	-8.131248	-2.425488			
OV	2-3		1.654	1.562	2.184	3.571	-3.411408	-5.577902	1.641	7.5	12.3075	-13.48397	13.34414	3.981828			
QL1	4-5	1.654	1.562	2.184	3.571	-3.411408	-5.577902	1.641	7.5	12.3075	-13.48397	13.34414	3.981828				
ZL2	9-10	1.654	1.562	2.184	3.571	-3.411408	-5.577902	1.641	7.5	12.3075	-13.48397	13.34414	3.981828				
ZY	11-12	1.654	1.562	2.184	3.571	-3.411408	-5.577902	1.641	7.5	12.3075	-13.48397	13.34414	3.981828				
QL1	6-7	Sling	1.654	4.688	2.184	3.571	-10.23859	-16.740848	4.922	7.5	36.915	-40.46916	40.01461	11.92267	40.46916 kN	40.01461 kN	1.654
WL1	4-7		1.654	3.125	2.184	3.571	-6.825	-11.159375	3.281	7.5	24.6075	-26.97656	26.67375	7.94775			
QL2	7-8		1.654	4.688	2.184	3.571	-10.23859	-16.740848	4.922	7.5	36.915	-40.46916	40.01461	11.92267			
XL2	7-10		1.654	3.125	2.184	3.571	-6.825	-11.159375	3.281	7.5	24.6075	-26.97656	26.67375	7.94775			

Project: ...
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SPACE DIAGRAM OF TRUSS

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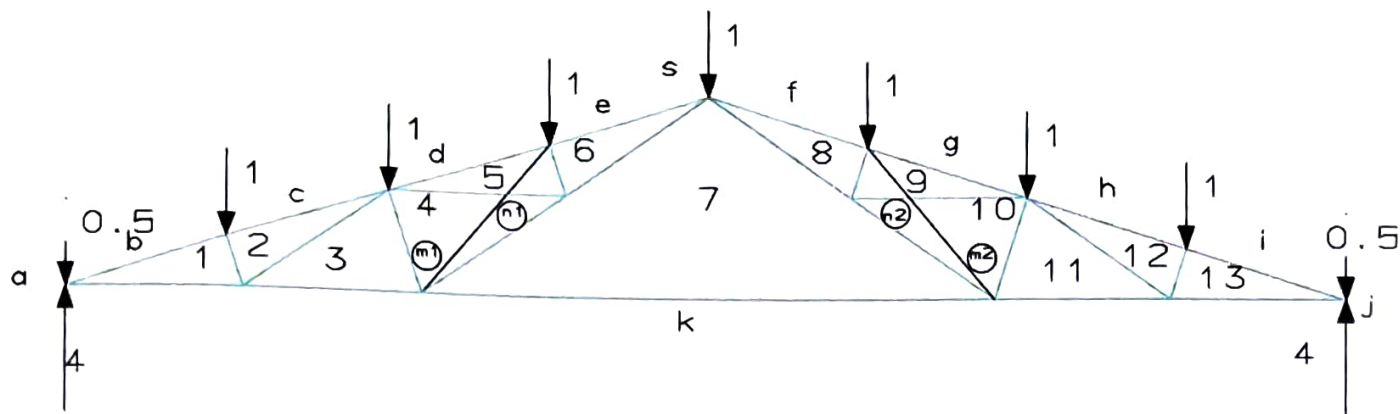
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DRAWING: SPACE DIAGRAM OF TRUSS

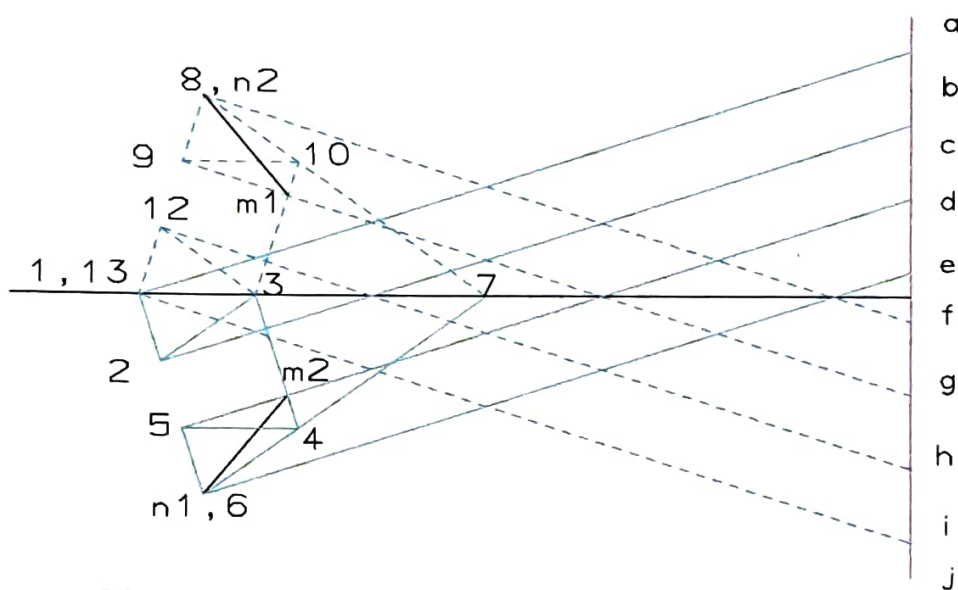
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GROUP-1 (A) SEVENTH SEMESTER



DEAD LOADS AT PANEL POINTS



DEAD LOAD STRESS DIAGRAM

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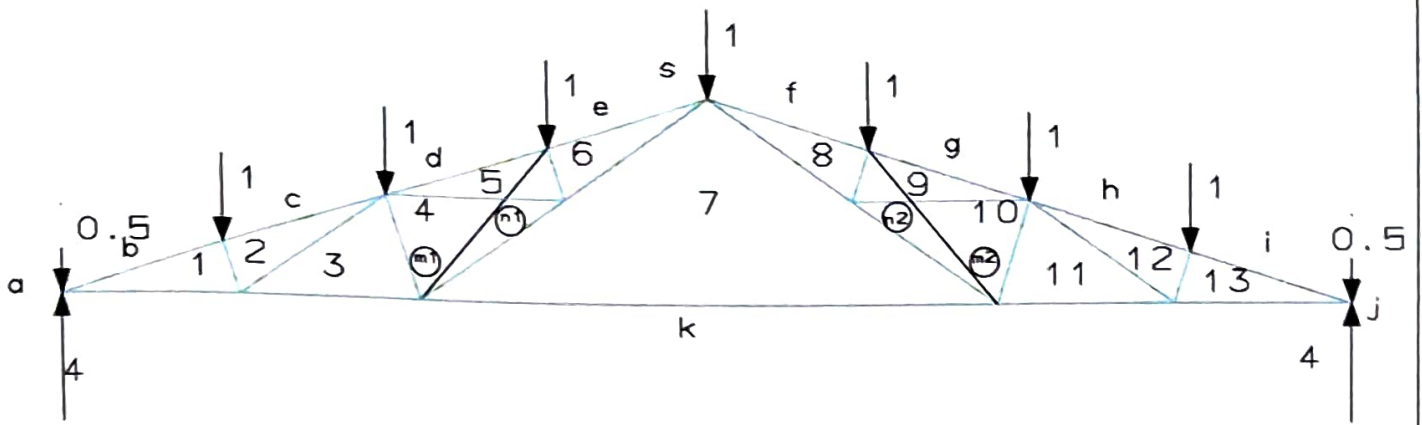
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DRAWING: DEAD LOAD STRESS DIAGRAM

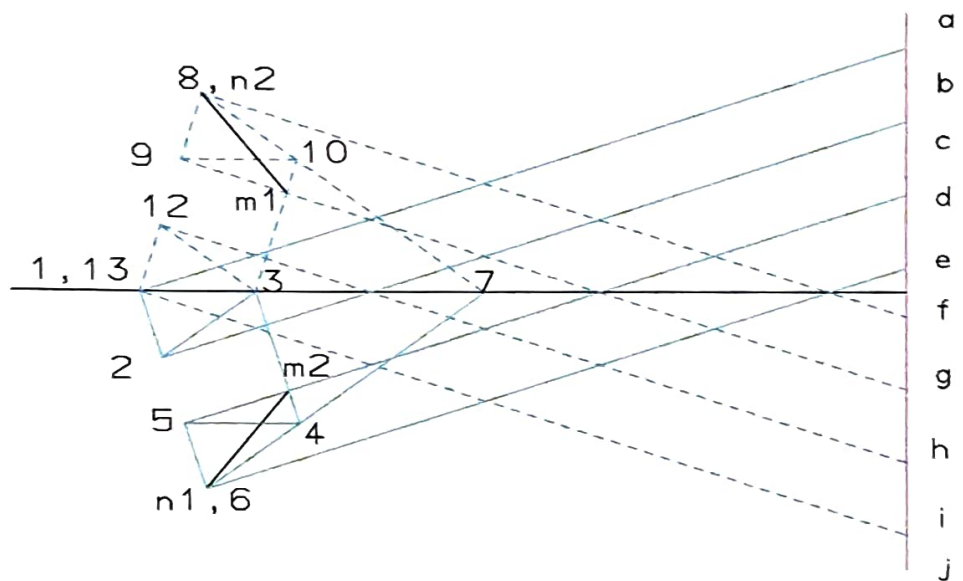
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LIVE LOADS AT PANEL POINTS



LIVE LOAD STRESS DIAGRAM

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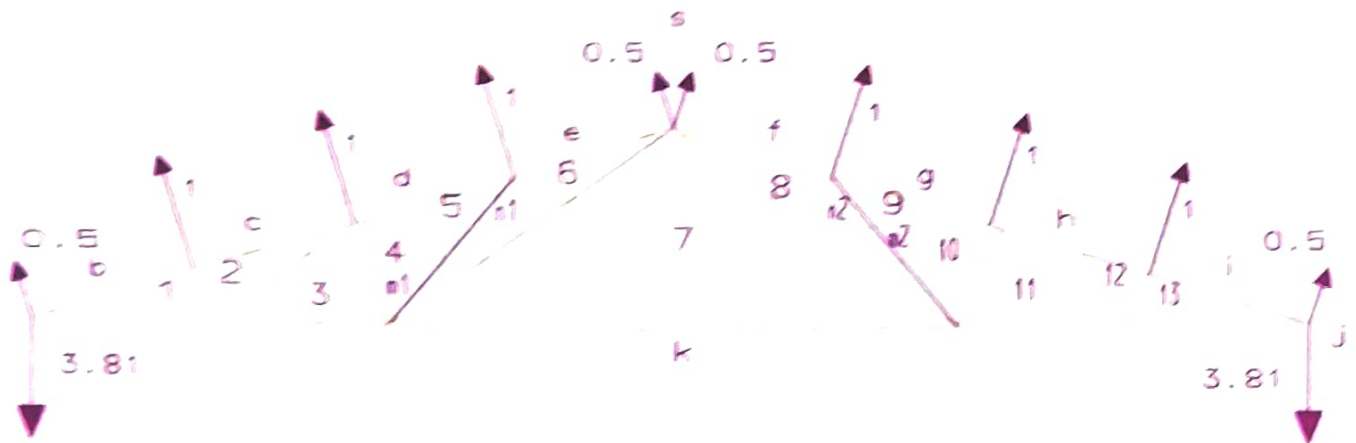
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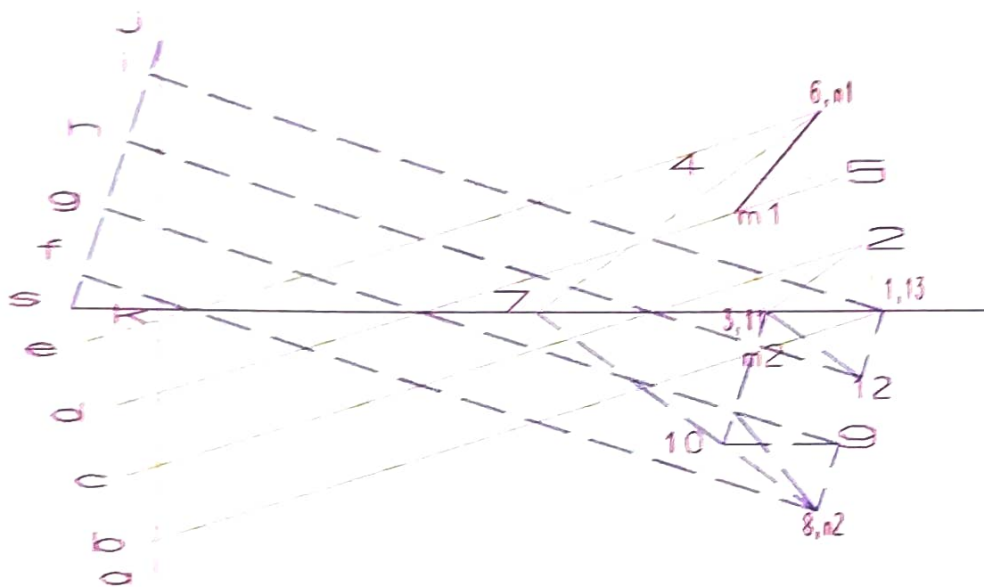
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GROUP-1 (A) SEVENTH SEMESTER



WIND LOADS AT PANEL POINTS



WIND LOAD STRESS DIAGRAM

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CIVIL ENGINEERING DEPARTMENT

DRAWING: WIND LOAD STRESS DIAGRAM

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GROUP-1 (A) SEVENTH SEMESTER

PURLIN AND
TRUSS MEMBER DESIGN

(Reference codes and handbook- IS:800-1997 and SP:6(1)-1964)

Design Connection using 20m dia bolt.

Grade of steel= Fe- 410 Grade of bolt= 4.6 γ_{nb} = 1.25
 f_{ub} = 400 N/mm² Stress area of 20mm bolt= 245 mm²

In all cases, we will design for compression and check for tension, since the members are subjected to reversal of stress.

DESIGN OF PURLIN:

Truss spacing= 4.00 m Span of truss= 12.00 m
 Slope= 17.74467 Degrees. Spacing of purlin= Y_z = 1.57 m (rafter panel length)
 Design wind pressure [with WL factor= 7.5 and $A= 6.3 \text{ m}^2$] is= 1.185482 kN/mm²

Wind load= 1861.206 N/mm² (acts normal to the roof)
 Wt. Of galvanised sheet= 171.00 N/m²= 268.47 N/m
 Dead load of purlin= 90.00 N/m
 Total dead load= 358.47 N/m
 Component of dead load parallel to roof= 109.253 N/m
 Component of dead load normal to roof= 341.4155 N/m
 So total load on purlin normal to the roof= 2202.621 N/m
 Factored load normal to roof, $P= 3303.932 \text{ N/m}$
 Factored load parallel to rooh, $H= 163.8794 \text{ N/m}$

Max moment, $M_{uu}=M_z= PL/10= 5.286291 \text{ kN-m}$
 Max moment, $M_w=M_y= HL/10= 0.262207 \text{ kN-m}$
 Let us try a section with flange width $b_f= 50 \text{ mm}$ and depth, $d= 150 \text{ mm}$
 Plastic section modulus required, $Z_{pz, reqd}= M_z \cdot \gamma_{mo}/f_y + 2.5(d/b)(M_y \cdot \gamma_{mo}/f_y)= 31912.52 \text{ mm}^3$

Let us try section **ISMC 125** with the following sectional properties:
 Area, $A= 1619 \text{ mm}^2$
 Depth of section, $h= 125 \text{ mm}$
 Width of flange, $b_f= 65 \text{ mm}$
 Thickness of flange, $t_f= 8.1 \text{ mm}$
 Thickness of web, $t_w= 5 \text{ mm}$ Radius at root, $R_1= 9.5 \text{ mm}$
 Depth of web, $d=h-2(t_f+R_1)= 89.8 \text{ mm}$
 Moments of inertia, $I_z= 4164000 \text{ mm}^4$ $I_y= 599000 \text{ mm}^4$
 Plastic section modulus, $Z_{pz}= 77150 \text{ mm}^3$
 Elastic section modulus, $Z_{ez}= 66600 \text{ mm}^3$ $Z_{ey}= 13100 \text{ mm}^3$

Classification of Section:

Outstand of flange, $b= b_f/2= 32.5 \text{ mm}$
 $b/t_f= 4.012346 < 9.4\epsilon$
 $d/t_w= 17.96 < 42\epsilon$ **Both of which imply that the section is plastic.**

Check for design capacity of Section:

$$M_{dz} = Z_{pz} \cdot f_y / \gamma_{mo} = 17.53409 \text{ kN-m} < 1.2 Z_{ez} \cdot f_y / \gamma_{mo} = 18.16364 \text{ kN-m}$$

Which is all right.

$$\text{Also, } M_{dz} = Z_{pz} \cdot f_y / \gamma_{mo} = 17.53409 \text{ kN-m} > 5.29 \text{ kN-m} \quad \text{Hence ok.}$$

$$M_{dy} = \text{minimum of } \bar{Z}_{py} \cdot f_y / \gamma_{mo} \text{ and } \gamma_t \cdot \bar{Z}_{ey} \cdot f_y / \gamma_{mo} \quad \text{where, } Z_{py} = 28864.34$$

$$= 6.560076 > 4.465909 \text{ kN-m} \quad \text{with equal area axis at } y \text{ (mm)} = 15.70988$$

$$\text{Hence } M_{dy} = 4.465909 \text{ kN-m}$$

Check for overall member strength (local capacity):
 $M_z / M_{dz} + M_y / M_{dy} \text{ must be } \leq 1$

$$= 0.3602 < 1 \quad \text{Which is all right.}$$

Check for Deflection:

Deflection will be checked at service loads.

$$\delta_{all} = L / 180 = 22.22222 \text{ mm}$$

$$\delta = 5 / 384 \times (wL^4 / EI) = 8.816128 \text{ mm} < 22.22222 \text{ mm}$$

Which is all right. Hence section is safe.

Provide 2 nos. 20 mm dia bolt attached with both the ends of the rafter.

DESIGN OF PRINCIPAL RAFTER:

$$\text{Design compressive load} = 99.13563 \text{ kN}$$

$$\text{Design Tensile load} = 88.41393 \text{ kN}$$

$$\text{Length of rafter panel} = 1.57 \text{ m}$$

Let us provide double angle section placed on opposite side of gusset plate of thickness = 12 mm. Let us assume the slenderness ratio = 100

Corresponding value of design compressive stress from table 9 (c) (buckling class- C) of IS:800-2007, is = 107 N/mm²

As the purlins have been placed at panel points, effective length of the rafter panel about z-axis = 0.85L = 1.3345 m = 1334.5 mm (L_z)

And effective length of rafter panel about y-axis = 1.0xL = 1570 mm (L_y)

$$C/s \text{ area required} = \text{Design compressive load} / \text{design compressive stress} = 926.5012 \text{ mm}^2$$

3
Truss Member Design

Lets try 2-unequal angle sec ISA 65 x 45 x 8 mm back-to-back.

Following are the properties from IS Handbook SP: 6(1)-1964 for the abovementioned section:

Area, $A = 1634 \text{ mm}^2$, $r_z = 20.2 \text{ mm}$,
 For 12 mm gusset plate, $r_y = 21.95 \text{ mm}$, (Table xxii)
 $L_z/r_z = 66.06436 < 180$
 $L_y/r_y = 71.5262 < 180$ Both of which is alright.
 The slenderness ratio 71.5262 is critical.
 For slenderness ratio= 71.5262, $f_y = 250.00 \text{ N/mm}^2$, (buckling class- C) the design
 compressive stress, from table 9 (c) $f_{cd} = 149.558 \text{ N/mm}^2$ (interpolated)

Classification of Section:

$b/t = 8.125 < 15.7 \sqrt{E}$

So, the section is semi-compact. Since the section is not slender, the full section will be effective.

Design Compressive strength, $P_d = A_e \cdot f_{cd} = 244.3778 \text{ kN} > 99.13563 \text{ kN}$
 which is alright.

Tensile strength due to gross section yielding, $T_{dg} = f_y A_g / \gamma_{mo} = 371.3636 \text{ kN}$
 $> 88.41393 \text{ kN}$
 which is alright.

Connection design:

Let us use 20 mm dia bolts, with dia of hole= 22 mm
 Section to be connected with the 12 mm thick gusset plate is the back to back double angle
 ISA 65 x 45 x 8 mm

Design force= 99.13563 kN

Strength of bolt in double shear, $V_{dsb} = 2A_n b \cdot f_{ub} / (\sqrt{3} \gamma_{mb}) = 90.52852 \text{ kN}$

Strength of bolt in bearing, $V_{dpb} = 2.5 k_b \cdot d \cdot t \cdot f_u / \gamma_{mb}$
 = 99.89091 kN

where, k_b is the least among:

(let, end distance, $e(\text{mm}) = 40$
 pitch of bolts, $p(\text{mm}) = 50$
 $e/3d_o = 0.606061$
 $p/3d_o - 0.25 = 0.507576$
 $f_{ub}/f_u = 0.97561$ and 1
 that is, $k_b = 0.507576$

Hence strength of bolt= 90.52852 kN
 Number of bolts required= $1.095076 = 3$

Check for block shear failure:

The member is of double angle section

Let us provide end distance=

and pitch=

50 mm

40 mm and edge distance=

40 mm

$$A_{vg} = 2240 \text{ mm}^2$$

$$A_{vn} = 1712 \text{ mm}^2$$

$$A_{tg} = 640 \text{ mm}^2$$

$$A_{tn} = 464 \text{ mm}^2$$

$$T_{db1} = \frac{A_{vg} f_y}{\sqrt{3} \gamma_{mo}} + (0.9 A_{tn} f_u / \gamma_{mb}) = 430.8966 \text{ kN}$$

$$T_{db2} = \frac{0.9 A_{vn} f_u}{\sqrt{3} \gamma_{mb}} + (A_{tg} f_y / \gamma_{mo}) = 437.2372 \text{ kN}$$

Hence, the block shear strength is

Hence the section is safe.

437.2372 kN which is > 99.13563 kN

Provide

3 nos.

20 mm dia bolt of grade 4.6

DESIGN OF PRINCIPAL TIE :

Design tensile load= 94.42229 kN

Design compressive load= 79.64836 kN

Max unrestrained length= 5.386 m (L)

Let us provide longitudinal tie runner at each bottom node of truss.

Effective length= $1 \times L = 5386 \text{ mm (L}_y)$

Assuming the member to be connected by more than one bolt at the ends,

Effective length= $0.85 \times L = 4578.1 \text{ mm (L}_z)$

Let us provide double angle section placed on opposite side of a gusset plate of thickness 12 mm (assumed) in back-to-back mode.

Let the slenderness ratio=(say) 100

Corresponding value of design compressive stress from table 9 (c) (buckling class- C) is= 107 N/mm²

C/s area required= 744.3772 mm²

Let us try 2 equal sections ISA 90 x 60 x 8 mm

back to back with 12 mm thk gusset plate in between.

From IS Handbook SP:6(1), table XXII, the properties of the section has been taken:

A= 2274 mm², r_z= 28.4 mm

For gusset plate thk= 12 mm, r_y (interpolated)= 26.8 mm

L_z/r_z= 161.2007 < 250

L_y/r_y= 200.9701 < 250 Both of which is alright.

The slenderness ratio 200.9701 is critical.

For this slenderness ratio and f_y= 250.00 N/mm² and for buckling curve C, from table 9 (C)

Design compressive stress, f_{cd}= 36.009 N/mm²

Classification of Section

$$b/t = 11.25 < 15.78$$

So, the section is semi-compact. Since the section is not slender, the full section will be effective.

Design Compressive strength, $P_d = A_e \cdot f_{cd} = 81.88447 \text{ kN} > 79.64836 \text{ kN}$
 which is alright.

Tensile strength due to gross section yielding, $T_{dg} = f_y A_g / \gamma_{mo} = 516.8182 > 94.42229$
kN kN

which is alright.

Connection design:

Let us use 20 mm dia bolts, with dia of hole = 22 mm
 Section to be connected with the 12 mm thick gusset plate is the back to back double angle
 ISA 90 x 60 x 8 mm

Design force = 94.42229 kN

Strength of bolt in double shear, $V_{dsb} = 2A_{nb} \cdot f_{ub} / (\sqrt{3} \gamma_{mb}) = 90.52852 \text{ kN}$

Strength of bolt in bearing, $V_{dps} = 2.5k_b \cdot d \cdot t \cdot f_u / \gamma_{mb}$
 = 99.89091 kN

where, k_b is the least among:
 (let, end distance, $e(\text{mm}) = 40$
 pitch of bolts, $p(\text{mm}) = 50$
 $e/3d_o = 0.606061$
 $p/3d_o - 0.25 = 0.507576$
 $f_{ub}/f_u = 0.97561$ and 1
 that is, $k_b = 0.507576$

Hence strength of bolt = 90.52852 kN

No. of bolts required = $1.043011 = 3$

Check for block shear failure:

The member is of double angle section

Let us provide end distance = 40 mm and edge distance = 40 mm
 and pitch = 50 mm

$A_{vg} = 2240 \text{ mm}^2$

$A_{vn} = 1712 \text{ mm}^2$

$A_{tg} = 640 \text{ mm}^2$

$A_{tn} = 464 \text{ mm}^2$

$T_{db1} = A_{vg} \cdot f_y / (\sqrt{3} \cdot \gamma_{mo}) + (0.9 \cdot A_{tn} \cdot f_u / \gamma_{mb})$
 = 430.8966 kN

$T_{db2} = 0.9 \cdot A_{vn} \cdot f_u / (\sqrt{3} \cdot \gamma_{mb}) + (A_{tg} \cdot f_y / \gamma_{mo})$
 = 437.2372 kN

Hence, the block shear strength is 430.8966 kN which is $> 94.42229 \text{ kN}$

Hence the section is safe.

Provide 3 nos. 20 mm dia bolt of grade 4.6

DESIGN OF STRUT:

Design tensile load= **16.25922 kN**
 Design compressive load= **16.44491 kN**
 Length= **1008 mm (L)**

Let us assume slenderness ratio= **100**
 Corresponding design compressive stress from table 9(c) of IS:800= **107 N/mm²**
 As the purlins have been placed at panel points, effective length of the member about z-axis=
 =0.85L= **856.8 mm (L_z)**
 Effective length of the member about y-axis= 1.0x L= **1008 mm (L_y)**
 C/s area required= **153.6908 mm²**

Let us try an equal angle section ISA

45	x	45	x	5
----	---	----	---	---

 mm back-to-back. Properties from IS handbook SP:6(1) are as follows:
 A= **327 mm²**, r_z= **6.7 mm**

Let us assume the strut to be connected by more than 1 bolt at its each end.

So, effective length, l= k.L= **1008 mm** (k= **1**)
 Equivalent slenderness ratio= $\lambda_e = \sqrt{(k_1 + k_2 \cdot \lambda_w^2 + k_3 \cdot \lambda_\phi^2)}$ where,
 = **1.186401** $\lambda_w = L/r_w / (\epsilon \sqrt{(\pi^2 \cdot E/250)}) =$ **1.692451**
 $\lambda_\phi = (b_1 + b_2) / (\epsilon \sqrt{(\pi^2 \cdot E/250) \cdot 2t}) =$ **0.101245**
k₁= **0.2** k₂= **0.35**
k₃= **20**
where, α = **0.49**
 $\phi = 0.5 [1 + \alpha(\lambda_e - 0.2) + \lambda_e^2] =$ **1.445442**

f_{cd} = f_y / γ_{mo} / [φ√(φ² - λ_e²)] = **190.4288 N/mm²**

Classification of Section:

b/t= **9** < **15.7ε**

So, the section is semi-compact. Since the section is not slender, the full section will be effective.

Design Compressive strength, P_d = A_e · f_{cd} = **62.27023 kN** > **16.44491 kN**

which is alright.

Tensile strength due to gross section yielding, T_{dg} = f_y A_g / γ_{mo} = **74.31818** > **16.25922**
kN kN

which is alright.

Tross Member Design

Connection design:

Let us use 12 mm dia bolts, with dia of hole= 14 mm
 Section to be connected with the 12 mm thk gusset plate is the back to back double angle
 ISA 35 x 35 x 5 mm

Design force= 16.44491 kN

Strength of bolt in single shear, $V_{dsb} = A_{nb} \cdot f_{ub} / (\sqrt{3} \cdot \gamma_{mb}) =$ where, $A_{nb} =$ 84.3

$$= 15.5746 \text{ kN}$$

Strength of bolt in bearing, $V_{dpb} = 2.5 k_b \cdot d \cdot t \cdot f_u / \gamma_{mb}$ where, k_b is the least among:

$$= 22.84286 \text{ kN}$$

(let, end distance, $e(\text{mm}) =$ 25

pitch of bolts, $p(\text{mm}) =$ 30

$e/3d_o =$ 0.595238

$p/3d_o - 0.25 =$ 0.464286

$f_{ub}/f_u =$ 0.97561 and 1

that is, $k_b =$ 0.464286

Hence strength of bolt= 15.5746 kN

No. of bolts required= 1.05588 = 2

Check for block shear failure:

The member is of single angle section

Let us provide end distance= 25 mm and edge distance= 20 mm
 and pitch= 30 mm

$A_{vg} =$ 275 mm²

$A_{vn} =$ 170 mm²

$A_{tg} =$ 100 mm²

$A_{tn} =$ 65 mm²

$T_{db1} = A_{vg} \cdot f_y / (\sqrt{3} \cdot \gamma_{mo}) + (0.9 \times A_{tn} \cdot f_u / \gamma_{mb}) =$ 55.27239 kN

$T_{db2} = 0.9 \times A_{vn} \cdot f_u / (\sqrt{3} \cdot \gamma_{mb}) + (A_{tg} \cdot f_y / \gamma_{mo}) =$ 51.70102 kN

Hence, the block shear strength is 51.70102 kN which is > 16.44491 kN

Hence the section is safe.

Provide 2 nos. 12 mm dia bolt of grade 4.6

DESIGN OF SLING -I (SECONDARY TIE) :

Design tensile load= **13.48397** kN
 Design compressive load= **13.34414** kN
 Length= **1654** mm (L)

Let us provide double angle section placed on opposite side of gusset plate of **12 mm thk.**
 Let us assume slenderness ratio= **100**
 Corresponding design compressive stress from table 9(c) of IS:800= **107 N/mm²**
 As the purlins have been placed at panel points, effective length of the rafter panel about z-axis=
 =0.85L= **1405.9 mm (L_z)**
 Effective length of the rafter panel about y-axis= 1.0x L= **1654 mm (L_y)**
 C/s area required= **126.0184 mm²**

Let us try a 2 equal angle section ISA



mm back-to-back. Properties from IS handbook SP:6(1) are as follows:

A= **776 mm²**, r_z = **15.2 mm**
 For **12 mm gusset plate**, r_y = **24.95 mm**
 So, L_z/r_z = **92.49342** < **180**
 And, L_y/r_y = **66.29259** < **180** Both of which is alright.
 The slenderness ratio **92.49342** is critical.

For this slenderness ratio, f_y = **250.00 N/mm²** and buckling curve C, the design
 compressive stress, f_{cd} = **117.514** kN

Classification of Section:

b/t = **12.5** < **15.7**

So, the section is semi-compact. Since the section is not slender, the full section will be effective.

Design Compressive strength, $P_d = A_e \cdot f_{cd}$ = **91.19086** kN > **13.34414** kN
 which is alright.

Tensile strength due to gross section yielding, $T_{dg} = f_y A_g / \gamma_{mo}$ = **176.3636** kN > **13.48397** kN
 which is alright.

Connection design:

Let us use **20 mm dia bolts**, with dia of hole= **22 mm**
 Section to be connected with the **12 mm thk gusset plate** is the back to back double angle
 ISA **50** x **50** x **4** mm

Design force= **13.48397** kN

Strength of bolt in double shear, $V_{dsb} = 2A_{nb} \cdot f_{ub} / (\sqrt{3} \gamma_{mb})$ = **90.52852** kN

Strength of bolt in bearing, $V_{dpb} = 2.5k_b \cdot d \cdot t \cdot f_u / \gamma_{mb}$
 = **99.89091** kN

where, k_b is the least among:

(let, end distance, e (mm)= **40**
 pitch of bolts, p (mm)= **50**
 $e/3d_o$ = **0.606061**
 $p/3d_o - 0.25$ = **0.507576**
 f_{ub}/f_u = **0.97561** and **1**
 that is, k_b = **0.507576**

Hence strength of bolt= **90.52852** kN


No. of bolts required= **0.148947** = **3**

Provide **3** nos. **20** mm dia bolt of grade **4.6**

DESIGN OF SLING -II :

Design tensile load= **40.46916 kN**
 Design compressive load= **40.01461 kN**
 Length= **1654 mm (L)**

Let us provide double angle section placed on opposite side of gusset plate of **12 mm thk.**
 Let us assume slenderness ratio= **100**
 Corresponding design compressive stress from table 9(c) of IS:800= **107 N/mm²**
 As the purlins have been placed at panel points, effective length of the rafter panel about z-axis=
 =0.85L= **1405.9 mm (L_z)**
 Effective length of the rafter panel about y-axis= 1.0x L= **1654 mm (L_y)**
 C/s area required= **378.2164 mm²**

Let us try a 2 equal angle section ISA  mm back-to-back. Properties from IS handbook SP:6(1) are as follows:

A= **776 mm²**, $r_z = 15.2$ mm
 For **12 mm gusset plate**, $r_y = 24.95$ mm
 So, $L_z/r_z = 92.49342 < 180$
 And, $L_y/r_y = 66.29259 < 180$ Both of which is alright.

The slenderness ratio **92.49342** is critical.
 For this slenderness ratio, $f_y = 250.00$ N/mm² and buckling curve C, the design
 compressive stress, $f_{cd} = 117.514$ kN

Classification of Section:

$b/t = 12.5 < 15.7\epsilon$

So, the section is semi-compact. Since the section is not slender, the full section will be effective.

Design Compressive strength, $P_d = A_e \cdot f_{cd} = 91.19086$ kN > 40.01461 kN

which is alright.

Tensile strength due to gross section yielding, $T_{dg} = f_y A_g / \gamma_{mo} = 176.3636 > 40.46916$ kN

which is alright.

Connection design:

Let us use **20 mm dia bolts**, with dia of hole= **22 mm**
 Section to be connected with the **12 mm thk gusset plate** is the back to back double angle
 ISA **50 x 50 x 4 mm**

Design force= **40.46916 kN**

Strength of bolt in double shear, $V_{dsb} = 2A_{nb} \cdot f_{ub} / (\sqrt{3} \gamma_{mb}) = 90.52852$ kN

Strength of bolt in bearing, $V_{dpb} = 2.5k_b \cdot d \cdot t \cdot f_u / \gamma_{mb}$ where, k_b is the least among:

= **99.89091 kN**

(let, end distance, $e(\text{mm}) = 40$

pitch of bolts, $p(\text{mm}) = 50$

$e/3d_o = 0.606061$

$p/3d_o - 0.25 = 0.507576$

$f_{ub}/f_u = 0.97561$ and **1**

that is, $k_b = 0.507576$

Hence strength of bolt= **90.52852 kN**

No. of bolts required= **0.447032 = 3**

Provide **3 nos. 20 mm dia bolt of grade 4.6**

**BRACING DESIGN:
RAFTER & EAVES LEVEL
BRACING**

(Reference- IS:800-1997 and IS: 875-part III)

DESIGN OF RAFTER BRACING :

Height of building= 10.75 m

Span of truss= 12.00 m

Length of truss= 48.00 m (=d)

Design wind pressure= 1.185 kN/m²

Let θ be the inclination of the roof with the horizontal= 17.74467 °

Let the width of the bracing be= 3 m

Factored max compressive force in rafter bracing, as per IS:800= 79.64836 kN

Shear in rafter bracing, as per IS:800= $= (2.5+1.25)/100 \times \text{Max compressive force}$
 $= 2.986814 \text{ Kn... (i)}$

As per IS 875 (part 3) 1987, for h < b and d/h > 4

Frictional drag force, $P' = C_r' (d-4h) \times b \times P_d + C_r' (d-4h) \times 2h \times P_d$ Where, $C_r' = 0.02$ for surfaces with corrugations across the wind direction (cl. 6.3.1, IS 875) (part-3)

= 3.96975 kN

So, factored drag force= 1.5x frictional drag force= 5.954625 kN

Since the bracing has been done in 4 bays and total number of braced panels

is 4 in each bay, ie, 16 the drag force in each panel=

= Drag force/braced panels no.
 = 0.372164 kN... (ii)

Since out of two bracings one will be in tension and the other will buckle out, so 0.372164 kN will be shared by it.

Total shear in bracing= (i) +(ii)= 3.358978 kN

Bracing length= $\sqrt{[(\text{Spacing of truss})^2 + (\text{Panel length projection in plan})^2 + (1/2 \text{ Height of truss})^2]}$
 = 5.091326 m

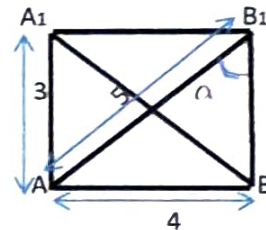
Design force in bracing= Total shear in bracing*bracing length/spacing of truss
 = 4.275413 kN

Inclined length of portion AA₁= panel length projection in plan x sec θ
 = 3.149857 m

cos α = inclined length of portion AA₁/Bracing length= 0.618671

So, α = 51.78083 °

Factored wind load on the triangular portion of the end frame=
 = 1.5x 1.05 x maximum wind force coefficient x (1/2 x span of truss x height)
 = 18.144 kN



This force will be equally distributed amongst those bays which have cross bracings.

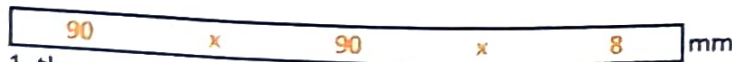
Factored wind load in each bay = $18.144 / 4 = 4.536 \text{ kN}$

Factored wind load on restraint point A₁ = $4.536 / 4 = 1.134 \text{ kN}$

So, Design force in diagonal member A₁B = factored wind load on restraint A₁ x sec α = 1.83296 kN

Using 2 nos. 16 mm dia 4.6 grade bolts α_{bolt} = 0.6
 Design tensile force = 1.83296 kN
 Limiting slenderness ratio from IS:800, table 3 = 400
 $kL/r = 5091.326 / r \leq 400$ From table 11, k = 1
 So, r ≥ 12.72831 mm

Let us try ISA



From IS handbook no. 1, the properties are:

A = 1379 mm², r_w = 17.5 mm
 $L/r = 290.9329 < 400$ which is sufficient.

Design strength of member due to gross section yielding, $T_{dg} = A_g \times f_y / \gamma_{m0} = 313.4091 \text{ kN}$
 $> 1.83296 \text{ kN}$

Hence section is safe.

Design tensile strength, $T_{dn} = 0.9 \times A_{nc} \times f_u / \gamma_{m1} + \beta \times A_{go} \times f_y / \gamma_{m0}$

= 270.0433 kN

> 1.83296 kN

where,

$\beta = 1.4 - 0.076 (w/t)(f_y/f_u)(b_s/L_c) \geq 0.7$

= max. of -0.071341 and 0.7

= 0.7

Hence section is safe.

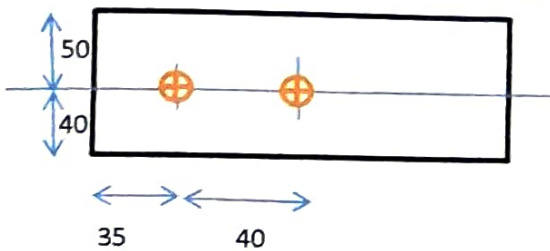
For d = 16 mm, d_o = 18

A_{nc} = 544 mm²,

A_{go} = 688 mm²,

Block Shear Strength

For ISA 90 x 90 x 8 mm, with 2 nos. 16 mm dia bolts for pitch 40 mm and at edge dist 40 mm and end distance 35 mm



A_{vg} = 600 mm²,

A_{vn} = 384 mm²,

A_{tg} = 280 mm²,

A_{tn} = 208 mm²,

$T_{db1} = f_y \times A_{vg} / (\sqrt{3} \gamma_{m0}) + 0.3 f_u \times A_{tn} / \gamma_{m1} = 99.19678 \text{ kN}$

$T_{db2} = 0.9 f_y \times A_{vn} / (\sqrt{3} \gamma_{m1}) + f_u \times A_{tg} / \gamma_{m0} = 144.2701 \text{ kN}$

Minimum of T_{db1} and T_{db2} must be > 1.83296 kN

Here, 99.19678 kN > 1.83296 kN

Hence section is safe.

Hence we use ISA mentioned connections.



DESIGN OF EAVES LEVEL BRACING :

Wind load on wall and roof:

Internal wind pressure coefficient, $C_{pi} = \pm$	0.2	(for opening of factory shed <5%)
External wind pressure coefficient, C_{pe} , on walls=		
On windward side=	0.7	(for $(3/2)h/w > 1/2$)
On leeward side=	-0.3	and for $(3/2)l/w < 4$
Internal wind pressure coefficient on roof, $C_{pi} = \pm$	0.2	
External wind pressure coefficient, C_{pe} , on roof=		
On windward side=	-0.790213	
On leeward side=	-0.522553	

Design wind pressure, $P_d =$	1.185 kN/m ²	
Wind load on windward wall= $(C_{pe} + C_{pi}) \times \text{area} \times \text{wind pressure} =$		550.314 kN...(i)
Wind load on windward roof= $(C_{pe} + C_{pi}) \times \text{area} \times \text{wind pressure} =$		-30.69517 kN...(ii)
Wind load on leeward wall= $(C_{pe} + C_{pi}) \times \text{area} \times \text{wind pressure} =$		-61.146 kN...(iii)
Wind load on leeward roof= $(C_{pe} + C_{pi}) \times \text{area} \times \text{wind pressure} =$		-16.77501 kN...(iv)

Total horizontal load = (i) + (ii) + (iii) + (iv) = **441.6978 kN**

Providing Eaves bracing,

End brace gets maximum shear, $V = 6 F - 0.5xF = 5.5 F$
 where, $F = 36.80815$ kN per unit length of truss span

Tension in brace, $T = V / \cos \alpha = 161.9559$ kN

Tension/compression in the parallel chords of eaves bracing = $T \sin \alpha = 129.5647$ kN

Let us try 2 ISA 150 x 150 x 10 mm

$r_{min} =$	46.3 mm, Area=	2903 mm ²
$r_w =$	29.3 mm, L=	5 m
So $\lambda =$	170.6485	< 350 Hence Ok.

Design strength of member due to gross yielding:

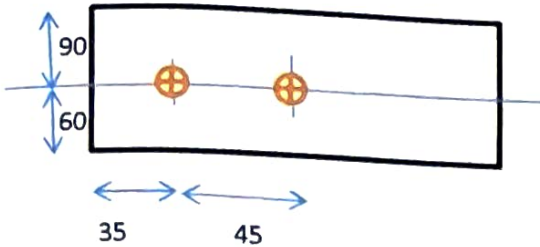
$T_{dg} = A_g \cdot f_y / \gamma_{mo} = 659.7727$ kN > 129.5647 kN **Hence section is safe.**

Design for net section rupture:

Design tensile strength, $T_{dn} = 0.9 \times A_{nc} \times f_u / \gamma_{m1} + \beta \times A_{go} \times f_y / \gamma_{mo}$ where,
 $= 599.6818$ kN $\beta = 1.4 - 0.076 (w/t)(f_y/f_u)(b_s/L_c) \geq 0.7$
 > 129.5647 kN = max. of -2.870035 and 0.7
Hence section is safe. For $d = 18$ mm, $d_o = 20$
 $A_{nc} = 1250$ mm²,
 $A_{go} = 1450$ mm²,

Design for block shear:

For ISA $150 \times 150 \times 10$ mm, with 2 nos. 18 mm dia bolts for pitch 45 mm and at edge dist 60 mm and end distance 35 mm



$$\begin{aligned} A_{vg} &= 800 \text{ mm}^2, \\ A_{vn} &= 500 \text{ mm}^2, \\ A_{tg} &= 350 \text{ mm}^2, \\ A_{tn} &= 250 \text{ mm}^2, \end{aligned}$$

$$T_{db1} = f_y A_{vg} / (\sqrt{3} \gamma_{m0}) + 0.3 f_u A_{tn} / \gamma_{m1} = 129.5728 \text{ kN}$$

$$T_{db2} = 0.9 f_y A_{vn} / (\sqrt{3} \gamma_{m1}) + f_u A_{tg} / \gamma_{m0} = 182.4161 \text{ kN}$$

$$\text{Minimum of } T_{db1} \text{ and } T_{db2} \text{ must be } > 129.5647 \text{ kN}$$

$$\text{Here, } 129.5728 \text{ kN} > 129.5647 \text{ kN}$$

Hence section is safe.

Design compressive load:

$$L/r_{\min} = 73.43413 < 250 \text{ Hence Ok.}$$

$$\text{For } \lambda = 73.43413 \text{ and, } f_y = 250.00 \text{ N/mm}^2, \text{ \& buckling curve C, } f_{cd} = 146.5056 \text{ N/mm}^2$$

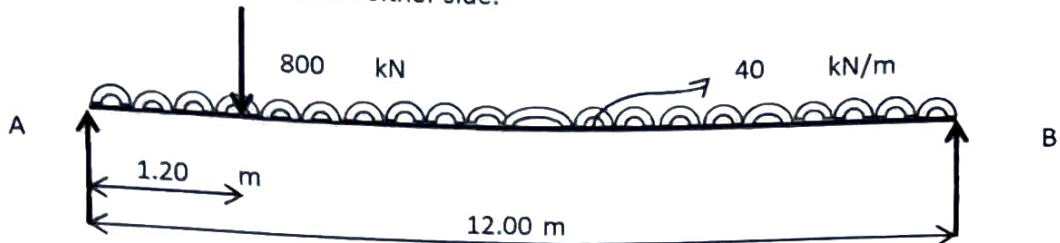
$$\text{So, design compressive load, } P_d = A_e \cdot f_{cd} = 425.3058 \text{ kN} > 129.5647 \text{ kN}$$

Hence provide 2 ISA 150 x 150 x 10 mm as eaves girder.

GANTRY SECTION DESIGN

DESIGN FORCES:

For an EOT crane,
 Maximum concentrated load on crane = 640.00 kN
 Maximum factored concentrated load on crane = 800 kN
 Self weight of crane as an UDL = 29.1666667 kN/m = 30 kN/m
 Factored UDL = 36.45833 kN/m = 40 kN/m (approx)
 For maximum reaction on the gantry girder, the crane load must be placed at a distance equal to the approach distance from either side.



Taking moment about B, we get, $R_a = 960$ kN, so $R_b = 320$ kN
 Now taking the maximum of the reaction values, ie, R_a , we observe that this load is distributed equally on the two wheels at the crane girder end.
 Hence, max. wheel load on each wheel of crane = $R_a/2 = 480$ kN

MAXIMUM BENDING MOMENT:

i) BM due to Dead Load:

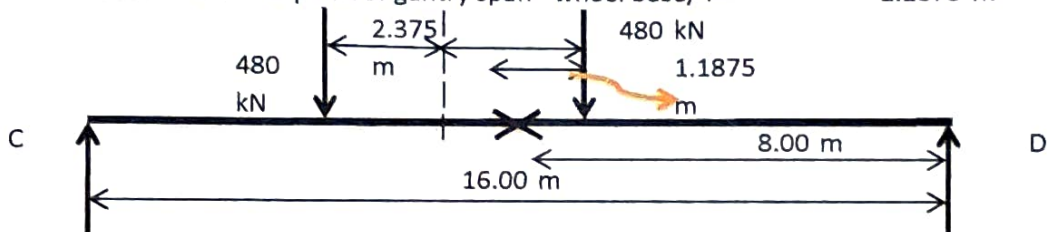
Self weight of Gantry girder = 3.43 kN/m
 Self weight of Rail = 0.30 kN/m (Assumed)
 Therefore, total dead load = 3.73 kN/m
 Factored dead load, $w = 4.660714$ kN/m

Hence, BM due to dead load = $wl^2/8 = 149.142857$ kN-m....(i)

ii) BM due to Live Loads:

BM due to Wheel load will be maximum when the CG of the wheel loads' CG and one of the adjacent wheel load coincides with the CG of the girder span.

ie, position of one wheel load from mid-point of gantry span = wheel base/4 = 1.1875 m



Taking moment about C, we get,

$R_d = 408.75$ kN and $R_c = 551.25$ kN

Maximum Bending moment due to live load = BM about critical wheel load = 2784.6094 kN-m..(ii)

iii) BM due to Impact Load:

For an EOT

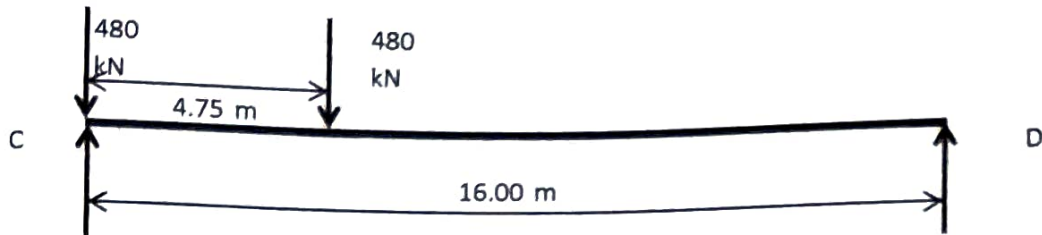
Crane, as per IS: 875-1964, BM due to Impact loads =
 0.25 of max BM due to static wheel / live loads = **696.15234 kN-m..(iii)**

TOTAL BENDING MOMENT=(I)+(ii)=(iii)= 3629.90458 kN-m= 3630 kN-m Approx.

MAXIMUM SHEAR FORCE:

i) SF due to Live Loads:

Maximum shear due to live loads happens only when one of the wheel loads is at one of the supports, that is:



Taking moment about D, $R_c = 817.5 \text{ kN}$ $R_d = 142.5 \text{ kN}$
 Hence Max SF due to live load = **817.5 kN.....(iv)**

ii) SF due to dead load:

Factored dead load, w, was calculated out to be = **4.660714 kN/m**
 Hence Max SF due to dead load = $wl/2 = 37.2857143 \text{ kN}....(v)$

iii) SF due to Impact load:

For an EOT crane, as per IS: 875-1964, SF due to impact loads =
 = 0.25 of SF due to wheel load = **204.375 kN....(vi)**

Lateral Load

For an EOT Crane, as per IS: 875-1964, Lateral loads transverse to rails =
 = 0.1 of (weight of crab + weight lifted by crane) = **64 kN**

Factored lateral load = **80 kN**

Lateral force on each wheel = **40 kN**

By proportionality,

Max horizontal reaction due to lateral force at C = **45.9375 kN**

Horizontal reaction at D = **34.0625 kN**

Max BM due to lateral load = **232.050781 kN-m**

Max SF due to lateral load = **68.125 kN....(vii)**

TOTAL SHEAR FORCE= (iv)+(v)+(vi)= 1059.16071 kN= 1060 kN approx.

PRELIMINARY TRIAL SECTION:

(Reference codes and handbook- IS:800-1997 and SP:6(1)-1964)

Approx. depth of gantry girder section= $L/12= 1333.33333 \text{ mm}= 1340 \text{ mm approx}$
 Approx. width of gantry girder flange= $L/30= 533.33333 \text{ mm}= 540 \text{ mm approx}$
 But depth= 1340 mm is not available for rolled sections, hence a built-up section will be considered.

Design of Web:

Let us assume $k=d/t_w=180 (<200 \epsilon \text{ (serviceability criteria) and } <345 \epsilon r^2 \text{ (flange buckling criteria)})$

Hence, optimum depth of the plate girder, $d=\sqrt[3]{(M_z k / f_y)}= 1377.4502 \text{ mm}= 1400 \text{ mm (approx)}$

Optimum web thickness, $t_w=\sqrt[3]{(M_z / f_y k^2)}= 7.65250103 \text{ mm}= 8 \text{ mm (approx.)}$

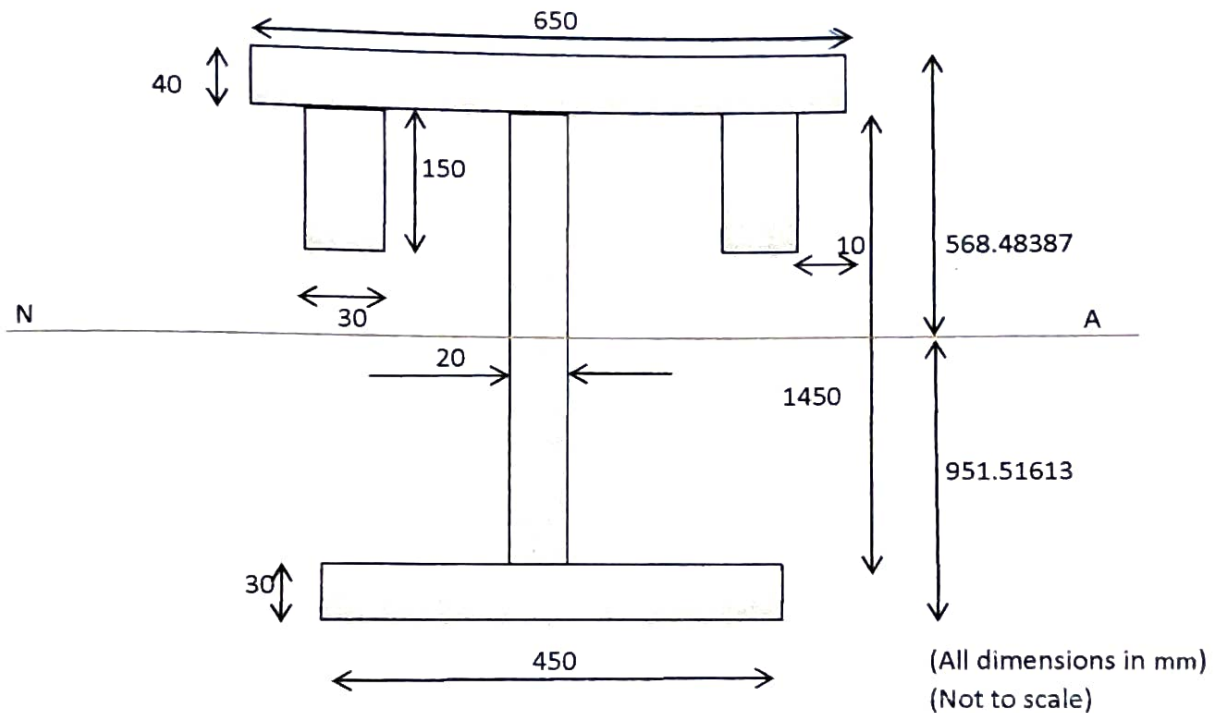
Let us try web plate **1450 x 20** mm in size

Design of Flanges:

Let us assume that bending moment will be resisted by the flanges and shear by the web.

Let us try a top flange plate **650 x 40** mm size and a bottom flange plate of **450 x 30** mm size.

Let us take 2 additional plates of **150 x 30** mm size attached to the top flange each at a distance of 10mm from the ends.



Section Properties:

Total area = 77500 mm²

Distance of Neutral axis from bottom, $\bar{Y} = (\sum ay) / \sum A = 951.5161$ mm from bottom
 or, 568.48387 mm from top.

I_x wrt CG = $\sum [I_{cg} + Ax^2] = \sum [bd^3/12 + Ax^2] = 2.77E+10$ mm⁴ (27735.21 × 10⁶ mm⁴)

I_y wrt CG = $\sum [I_{cg} + Ay^2] = \sum [db^3/12 + Ay^2] = 1954870833$ mm⁴ (1954.87 × 10⁶ mm⁴)

I_y (Compression flange) = $\sum [I_{cg} + Ay^2] = \sum [db^3/12 + Ay^2] = 1.73E+09$ mm⁴ = (1726.0917 × 10⁶ mm⁴)

$Z_{ebottom} = I_x / Y_{bottom} = 2.91E+07$ mm³ = (29.1484341 × 10⁶ mm³)

$Z_{etop} = I_x / Y_{top} = 4.88E+07$ mm³ = (48.7880248 × 10⁶ mm³)

$Z_{ey} = I_y / X_{max} = 6014987$ mm³ = (6.01498718 × 10⁶ mm³)

Let the Equal Area Axis be at a depth Y from the top of the web.
 So, area of the section above this axis must be equal to the same below the axis.

Hence, 35000 + Y x 20 = 13500 + 20 x (1450 - Y)

Or, 1075 = 1450 - 2Y or, Y = 187.5 mm from top of web, or 1262.5 mm from bottom of web, or 1292.5 mm from bottom of section

Also, Y = 227.5 mm from top of section, or plastic section modulus above equal area axis:

$Z_{pxtop} = \text{Area} \times \text{distance of CG of area from equal area axis}$
 = 6759063 mm³

plastic section modulus below equal area axis:

$Z_{pxbottom} = \text{Area} \times \text{distance of CG of area from equal area axis}$
 = 33185313 mm³

Total $Z_{pz} = 39944375$ mm³

Plastic section modulus of compression flange about Y-Y axis:

$Z_{py} = 6925000$ mm³

Elastic Section modulus of compression flange about Y-Y axis:

$Z_{ey} = (I_{y \text{ compression flange}}) / (Y_{max} / 2)$
 = 5311051 mm³

Radius of Gyration = $\sqrt{I_y / A} = 158.8211$ mm

Classification of Section:

Outstand of flange = 325 mm

$b/t_f = 8.125 < 8.4\epsilon$ (Clause 3.7.2 and 3.7.4 and table 2 of IS-800)

b/t_f of extra plates = 5 < 8.4ε (Clause 3.7.2 and 3.7.4 and table 2 of IS-800)

d/t_w of web = 72.5 < 84ε (Clause 3.7.2 and 3.7.4 and table 2 of IS-800)

Hence the entire section is plastic. So, $\beta_b = 1.00$

a) Local moment capacity-

M_{dz} = lesser value between $\beta_b \cdot Z_{pz} \cdot f_y / \gamma_{mo}$ and $1.2 Z_e \cdot F_y / \gamma_{mo}$ which is =

ie, lesser of $9.08E+09$ N-mm = 9078.267 kN-m and $7.95E+09$ N-mm = 7949.573 kN-m

So, design moment capacity = 7949.573 kN-m which is $>$ 3630 kN-m

Hence section is safe.

b) Moment capacity of compression flange about Y-Y axis

M_{dyf} = lesser value between $\beta_b \cdot Z_{py} \cdot f_y / \gamma_{mo}$ and $1.2 Z_{ey} \cdot F_y / \gamma_{mo}$ which is =

lesser of $1.57E+09$ N-mm = 1573.864 kN-m and $1.448E+09$ N-mm = 1448.469 kN-m

So, design moment capacity = 1448.469 kN-m which is $>$ 232.05078 kN-m

Hence section is safe.

c) Combined moment check for the local moment capacity-

= $M_z / M_{dz} + M_{yf} / M_{dyf}$ (must be ≤ 1.0)

= $0.616833 < 1$

Hence section is safe.

Check for lateral torsional buckling: (buckling resistance in bending)

$M_{cr} = C_1 \cdot \pi^2 E \cdot I_y \cdot h_f / (2 L_{LT}^2) \times \sqrt{1 + 1/20 \times \{(L_{LT} / r_y) / (h_f / t_f)\}^2}$ (Clause 8.2.2.1)

= $1.37E+10$ N-mm

= 13693.29×10^6 N-mm

Where, h_f = c/c flange distance = 1485 mm

Effective length, L_{LT} = 16000 mm

Thickness of (top) flange = 40 mm

Radius of gyration, r_y = 158.82109 mm

Coefficient, C_1 = 1.046 (Annex E, IS 800-2007)

Now, from clause 8.2.2 of IS 800-2007, non-dimensional slenderness ratio,

$\lambda_{LT} = \sqrt{(\beta_B \cdot Z_{pz} \cdot f_y) / M_{cr}}$ (Clause 8.2.2)

= 0.853973

Now, $\phi_{LT} = 0.5 [1 + \alpha_{LT} (\lambda_{LT} - 0.2) + \lambda_{LT}^2] = 1.02485799$

And, $\chi_{LT} = 1 / [\phi_{LT} + \sqrt{(\phi_{LT}^2 - \lambda_{LT}^2)}] = 0.628345$ which is < 1 , hence OK.

So, $f_{bd} = \chi_{LT} \cdot f_y / \gamma_{mo} = 142.8056$ N/mm² = 145 N/mm²

Design bending strength, $M_{dz} = \beta_b \cdot Z_{pz} \cdot f_{bd} = 5791934375$ N-mm = 5791.9344 kN-m

$>$ 3630 kN-m

Since lateral forces are also acting, the beam must be checked for biaxial bending. The bending strength about Y axis will be provided by the top flange only, as the lateral loads are applied here.

$M_{dy} = Z_{ey}(\text{compression flange}) \cdot f_y / \gamma_{mo} = 1.21E+09$ N-mm = 1207.057 kN-m

Now, combined check = $(M_z / M_{dz}) + (M_y / M_{dy})$ which should be ≤ 1.0

= $0.818979 < 1.00$

Hence section is safe.

Check for Shear capacity:

Total shear force = **1060 kN**
 $V_d = \text{Shear Capacity} = A_v \cdot f_{yw} / (\sqrt{3} \cdot \gamma_{mo}) = 3805263.14 \text{ N} = \mathbf{3805.2631 \text{ kN}}$
 $0.6 V_d = 2283.158 \text{ kN} > 1060 \text{ kN}$
 Since $V \leq 0.6 V_d$, the case is of low shear. No reduction, therefore, will be in the moment capacity.

Web buckling check:

Using Simple Post Critical Method (cl. 8.4.2.2)-

Let $c/d = 1.4$
 So, stiffener Spacing, $c = 2030 \text{ mm}$
 $d/t_w = 72.5 < 200$
 < 345
 From Serviceability condition, $3d \geq c \geq d$,
 $d/t_w = 72.5 < 200 \epsilon$

Hence only transverse stiffeners are provided.

Number of panels formed = $7.881773 = 8$
 Actual spacing of stiffener = 2000 mm

So, actual $c/d = 1.37931$

For $c/d > 1.00$ $k_v = 5.35 + 4.0/(c/d)^2 = 7.4525$

From clause 8.4.2.1, resistance to shear buckling will be verified when, $d/t_w > 67 \epsilon \sqrt{(k_v/5.35)}$

But, $72.5 \text{ not } > 79.0767668$

Hence check for resistance to shear buckling in web is not required.

Determination of Shear force corresponding to web buckling-

Elastic critical stress: $\tau_{cre} = k_v \pi^2 E / [12(1-\mu^2)(d/t_w)^2] = \mathbf{256.4972 \text{ N/mm}^2}$

The non-dimensional web slenderness ratio is, $\lambda_w = \sqrt{(f_{yw} / (\sqrt{3} \tau_{cre}))} = 0.7501505$

As $\lambda_w < 0.8$ $\tau_b = 144.337567 \text{ N/mm}^2$

So, $V_{cr} = 4185789 \text{ N} = 4185.789 \text{ kN}$
 $> 1060 \text{ kN}$

Hence nominal stiffeners of **10 mm thick & 150 mm wide** provided over the span.

Deflection check:

$\delta = wL^3 \cdot (3a/4L - a^3/L^3) / 6EI_x$ where, $w = \text{max static wheel load} = 480 \text{ kN}$
 $= \mathbf{13.00905 \text{ mm}}$ $L = \text{c/c distance between gantry columns} = 16000.00 \text{ mm}$
 $c = \text{wheel base distance} = 4750.00 \text{ mm}$
 $a = (L-c)/2 = 5625 \text{ mm}$

Permissible max deflection = $L/500 = 32 \text{ mm} > 13.009047 \text{ mm}$

Hence section is safe.

Connection Design:

Flange to web connection

Required shear capacity of the weld, $q = VA\ddot{Y}/I_x$
 $= 706.9265 \text{ N/mm}$

Where, $V = 1060 \text{ kN}$
 $A = \text{area of compression flange} = 35000 \text{ mm}^2$
 $\ddot{Y} = 528.48387 \text{ mm}$

providing 8mm fillet weld, strength of weld = **883.730812** N/mm
 $> 706.9265 \text{ N/mm}$

Hence the section is safe.

Connection for stiffeners

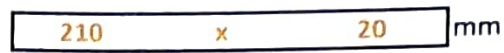
Since stiffeners are not carrying any load, 5mm fillet weld will suffice.

END PANEL DESIGN :

Local capacity of web, $F_w = (b_1 + n_2) \cdot t_w \cdot f_{yw} / \gamma_{m0}$
 $= 704.5455 \text{ kN}$
 $< 1060 \text{ kN}$
 Hence stiffener will be required.

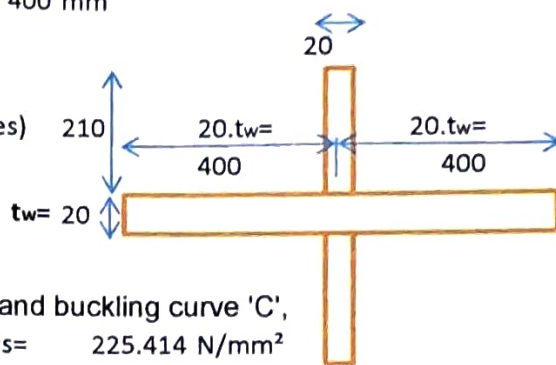
Where, $b_1 = \text{stiff bearing length (mm)} = 80$
 $n_2 = 2.5 \times \text{flange depth (mm)} = 75$

Let us try 2 flat section on each side of web
 Max Permissible outstand = $20 t_q \cdot \epsilon = 400 \text{ mm}$
 Max Effective outstand = $14 t_q \cdot \epsilon = 280 \text{ mm}$



Check for buckling of stiffener:

Area, $A = 24400 \text{ mm}^2$ (Stiffener's properties)
 $I_x = \sum [bd^3/12] = 1.42E+08 \text{ mm}^4$
 Radius of gyration, $r = \sqrt{I_x/A} = 76.27603 \text{ mm}$
 Slenderness ratio, $\lambda = 13.30693$



For $\lambda = 13.30693$, $f_y = 250.00 \text{ N/mm}^2$, and buckling curve 'C',
 f_{cd} , design compressive stress from table 9(C) of IS:800 is = 225.414 N/mm^2

Buckling resistance, $P_d = A_e \cdot f_{cd} = 5500.102 \text{ kN}$
 $> 1060 \text{ kN}$

Which is safe. Hence the stiffener is safe in compression.

Check for bearing capacity of stiffener:

Since the stiffener will be coped to accommodate the fillet weld of flange plate to the web, the available effective width of stiffener flat for bearing will be lesser than the actual width. Let the stiffener be coped by 15 mm.

So, width available for bearing = 195 mm

Bearing strength of stiffener, $F_p = A_q \cdot f_{yq} / \gamma_{m0}$ which should be $\geq F_c - F_w$

$F_{psd} = 1772.727 \text{ kN}$
 $> F_c - F_w = 355.4545 \text{ kN}$

Where,
 $A_q = \text{area of stiffener in contact with flange} = 7800 \text{ mm}^2$

Hence Safe.

Check for torsional resistance provided by end bearing stiffener:

The ends of the plate girder must have sufficient torsional resistance from transportation and erection point of view.

The moment of inertia of the end bearing stiffener at support, $I_s \geq 0.34 \alpha_s D^3 T_{cf} \dots (i)$

For the gantry girder section, $\lambda = L_{LT}/r_y =$

$$\text{For } \lambda > 100, \alpha_s = 30/\lambda^2 = 0.002956 \quad 100.742286 > 100$$

Now, I_s , provided \geq

$$1.06E+08 \text{ mm}^4 = 105.883573 \times 10^6 \text{ mm}^4$$

But, I_s , provided =

$$1.23E+08 \text{ mm}^4 = 123.48 \times 10^6 \text{ mm}^4$$

$$> 105.88357 \times 10^6 \text{ mm}^4$$

Which is safe.

End stiffener Connection:

There will be

$$b_s = 195 \text{ mm}$$

2 weld lengths along the depth of web on each side of stiffener plate

Tension capacity of one flat, $T_{dn} = 0.9 A_n f_u / \gamma_{m1} =$

$$1151.28 \text{ kN}$$

Shear per unit length $q_1 =$

$$0.40538 \text{ kN/mm}$$

Let us provide weld of size, $S =$

$$6 \text{ mm}$$

$$K_s = 0.7 \times S =$$

$$4.2 \text{ mm}$$

Strength of shop weld per unit length, $f_{wd1} =$

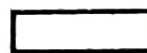
$$0.48497423 \text{ kN/mm}$$

>

$$0.4053803 \text{ kN/mm}$$

Hence provide above fillet weld to connect the end bearing stiffener to web plate.

STEPPED COLUMN DESIGN



DESIGN OF GANTRY COLUMN :

Height of gantry crane from GL= 7.60 m
 Eaves level from GL= 10.75 m

The gantry column has the following parts:

- Roof leg/Upper part (Truss portion)
- Crane leg/ lower part (Gantry portion)

Calculation of Vertical load:

$P_1 = \text{Max SF from Gantry girder} = 1060 \text{ kN}$

$P_2 = \text{Max truss reaction from DL and LL} = 51.795 \text{ kN}$

Calculation of Horizontal load:

$H_1 = \text{transverse load on gantry girder} = 16 \text{ kN}$

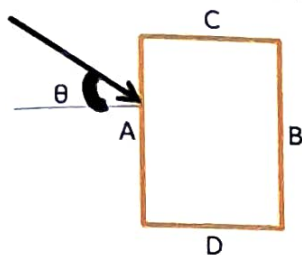
Wind analysis along vertical wall of column:

Design wind pressure= 1185.482 N/m^2 (P_2)

For $h = 10.75 \text{ m}$, $w = 12.00 \text{ m}$, and $L = 48.00 \text{ m}$,

$h/w = 0.895833$ ($3/2 > h/w > 1/2$) and $L/w = 4$ ($3/2 < L/w < 4$)

From table-4 (IS:875 (part-3) 1987), we get:



Angle ($^\circ$)	C_{pe} for surface			
	A	B	C	D
0	0.7	-0.3	-0.7	-0.7
90	-0.5	-0.5	0.7	-0.1

And internal pressure coefficient for opening less than 5%,

$C_{pi} = \pm 0.2$

After combination of external and internal pressure coefficient, it is seen that the max wind will be thrust, and coefficient is= 0.9

Total wind Force, $W = (C_{pe} - C_{pi}) \cdot P_d \cdot A = 6.721375 \text{ kN/m}$ (?)

$H_z = \text{Horizontal thrust from roof truss due to wind load} = 8.194048 \text{ kN}$ (=no. of sheet reqd. X $W \sin \theta$)

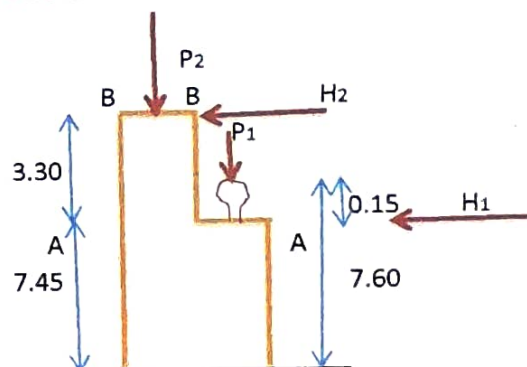
Calculation of trial force and BM:

At B-B level,

$P_2 = 51.795 \text{ kN}$, $M_1 = 36.59789 \text{ kN-m}$

At A-A level, $P_1 = 1111.795 \text{ kN}$

$M_2 = 648.4555 \text{ kN-m}$



CHOICE OF SECTION :

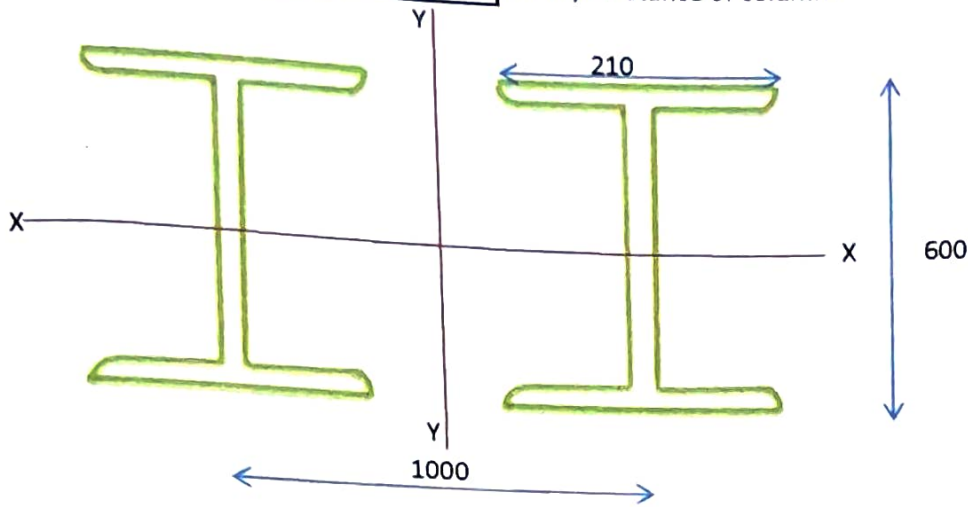
Force per joist = $P_1/2 + M_2/1.0 = 1204.353 \text{ kN}$
 $\sigma_{ac} = 100 \text{ N/mm}^2$

So, c/s area required = 12043.53 mm^2

Let us choose 2 nos.

ISMB 600 with c/c distance of column =

3 m



Section Properties:

A =	15621 mm ²	$I_{xx} =$	9.18E+08 mm ⁴ =	91813 x 10 ⁴ mm ⁴
h =	600 mm	$I_{yy} =$	26510000 mm ⁴	
b _f =	210 mm	c/c distance of section =		1000 mm
t _f =	20.8 mm	r _{min} =	41.2 mm	
t _w =	12 mm			

Effective length calculation:

Above A-A level only single secn. ISMB 600 has been provided.

Hence, $I_2 = I_y = 26510000 \text{ mm}^4$

From base level to level A-A, 2 nos. of ISMB 600 have been provided.

So, $I_1 = 2(I_y + Ah^2) = 7.86E+09 \text{ mm}^4 = 7863.52 \times 10^6 \text{ mm}^4$

Now $I_2/I_1 = 0.003371$ and $L_2/L_1 = 0.442953$

From table 38, IS:800-2007, $K_{12} = 2.43$ and $K_{11} = 1.16$

Again from table 36 of the said code, $\alpha = (P_1 + P_2)/P_2 = 22.4653$

$C_1 = L_2/L_1 \sqrt{I_1/(I_2 \alpha)} = 1.609553$

$K_1 = \sqrt{[K_{12}^2 + K_{11}^2 (\alpha - 1)]/\alpha} = 1.244407$

$K_2 = K_1/C_1 = 0.773138 < 3$

Hence Ok.

So, effective length = $L_{e1} = K_1 \cdot L_1 = 9.270832 \text{ m}$

$L_{e2} = K_2 \cdot L_2 = 2.551356 \text{ m}$

Design of roof leg:

a) Check against axial compression-

$$\lambda_{eff} = L_e / r_{min} = 61.92613$$

As per clause 7.1.2.1 of IS 800:2007,

$$f_{cc} = \text{Euler buckling stress} = \pi^2 E / (kL/r)^2 = 515.1473 \text{ N/mm}^2$$

$$\lambda = \sqrt{(f_y / f_{cc})} = 0.696633 \text{ = non dimensional effective slenderness ratio}$$

As per table 10 of IS 800:2007, $h/b_r = 2.857143 > 1.2$

$$\text{and } t_r = 20.8 < 40 \text{ mm}$$

For Y-Y axis, buckling class is 'B' and for Z-Z axis, buckling class is 'A'.

Imperfection factor, $\alpha = 0.34$ for buckling class 'B',

$$\varphi = 0.5 [1 + \alpha (\lambda - 0.2) + \lambda^2] = 0.827077$$

$$\chi = \text{stress reduction factor} = \frac{1}{\sqrt{[\varphi + (\varphi^2 - \lambda^2)]}} = 0.987328$$

$$\text{So, } f_{cd} = \chi \cdot f_y / \gamma_{mo} = 224.3927 \text{ N/mm}^2 < f_y / \gamma_{mo} = 227.2727 \text{ N/mm}^2$$

Hence Ok.

Designed compressive strength, $P_d = A \cdot f_{cd} = 3505.238 \text{ kN}$

$$P_u = 1.5 \times P_2 = 1667.693 \text{ kN} < 3505.238 \text{ kN}$$

Hence safe in axial compression.

b) Check against bending-

Section classification:- (As per table 2 of IS 800)

$$b/t_f = 10.09615 > 9.4 \epsilon$$

$$< 10.5 \epsilon$$

The section is compact in nature. So resistance in lateral torsional buckling need not be considered.

$$\text{By clause 8.2.1.2 of IS 800, design bending strength, } M_d = \beta_b \cdot Z_p \cdot f_y / \gamma_{mo} \quad (\beta_b \text{ for compact sectn} = 1)$$

$$= 122.5113 \text{ kN-m} \quad Z_p (\text{mm}^3) = 539049.6$$

$$M_u = 1.5 \times M_1 = 54.89683 \text{ kN-m} < 122.5113 \text{ kN-m}$$

Hence Ok.

c) Check against shear-

$$\text{Clause 8.4.1 of IS:800 states, } V_d = A_v \cdot f_{yw} / (\sqrt{3} \gamma_{mo}) = 1146.303 \text{ kN}$$

$$V_u = 1.5 \times (H_z + 3 \cdot W) = 42.53726 \text{ kN} < 1146.303 \text{ kN}$$

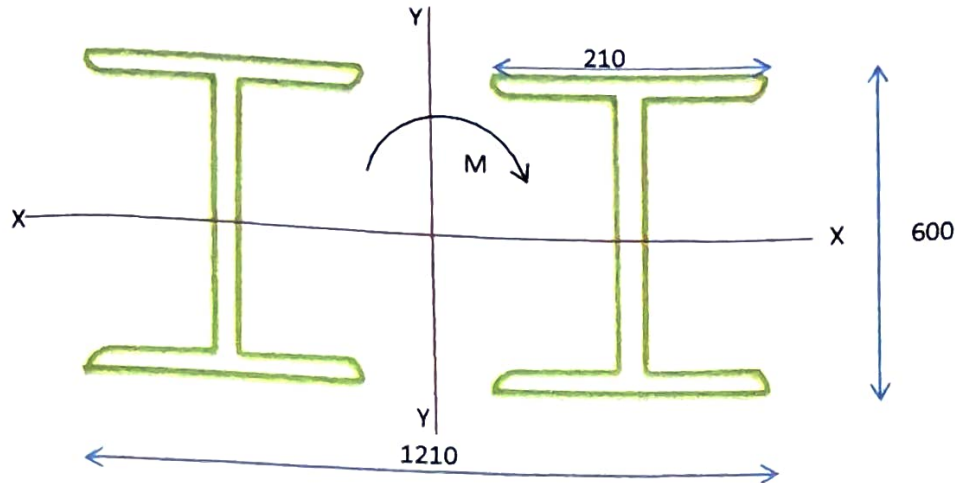
Hence Ok.

d) Combined Check-

$$\text{By cl. 9.3.1, } V_d / D_u + M_y / M_{dy} + M_z / M_{dz} = 0.485204 < 1$$

Hence Ok.

Design of crane leg:



$P = 1111.795 \text{ kN}$ $M = 648.4555 \text{ kN-m}$

a) Check against axial compression-

Bending about Y-Y axis and buckling about X-axis.

$r_{x-x} = 242.4 \text{ mm}$

$\lambda = L_e1/r_{x-x} = 38.246$

For buckling curve "C" (table 10 of IS 800) and table 9(c), f_{cd} for $\lambda = 38.246$ is = **201.31 N/mm²**

$P_d = 2 \times \text{Area} \times f_{cd} = 6289.327 \text{ kN}$

$P_u = 1.5 \times P_1 = 1667.693 \text{ kN} < 6289.327 \text{ kN}$

Hence Ok.

b) Check against bending-

$h/t_f = 58.17308$

Section classification:- (As per table 2 of IS 800)

From table 14 of IS 800, for $kL/r = 30$ and $h/t_f = 58.17308$

Critical stress, $f_{cr,b} = 2429.506 \text{ N/mm}^2$

From table 14 of IS 800, for $kL/r = 40$ and $h/t_f = 58.17308$

Critical stress, $f_{cr,b} = 1373.687 \text{ N/mm}^2$

So, for $kL/r = 38.246$ Critical stress, $f_{cr,b} = 1558.877 \text{ N/mm}^2$

$\alpha_{LT} = 0.49$ (for welded composite section)

From table 13(b) of IS:800, $f_{bd} = 214.29$ (for $f_{cr,b} = 1558.877 \text{ N/mm}^2$ and $f_y = 250.00 \text{ N/mm}^2$)

$b/t_f = 58.17308 > 13.6 \epsilon$

So the section is semi compact.

$M_d = \beta_b \cdot Z_p \cdot f_{bd} = Z_e / Z_p \times Z_p \times F_{bd} = 2785.246 \text{ kN-m} > 1.5 \times M_2 = 972.6832 \text{ kN-m}$

Hence Ok.

c) Interaction check-

By cl. 9.3.1, $V_d/D_u + M_y/M_{dy} + M_z/M_{dz} = 0.614389 < 1$

Hence Ok.

Provide 2 numbers **ISMB 600** sections placed at a c/c distance of 1000 mm from each other. Let us provide gusset plate of size 410 x 200 x 20 mm.

DESIGN OF LACING :

Assuming the inclination of lacing bars (θ)= 45 (must be 40-70) & gauge dist(mm)= 80

Spacing of lacing bars, $a_1 = 1900$ mm

r_y of ISMB 600 is 41.2 mm

So, $a_1/r_y = 46.1165 < 50$

Also, a_1/r_y should be $< 0.7kL/r_z$

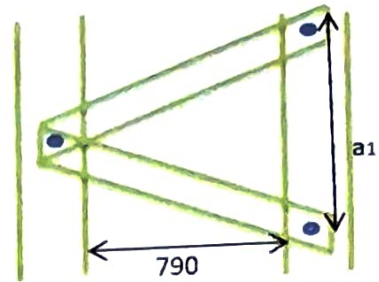
ie, $a_1/r_y < 62.08746$

Maximum shear:

$V_t = 2.5 \cdot (P_1 + P_2) \cdot 1000 / 100 = 27794.88$ N

Transverse shear in each panel = $V_t / N = 13897.44$ N

Compression force in lacing bars = $V_t \cdot \text{cosec} \theta / N = 19.65394$ kN



Selection of lacing flats:

Let us provide

16 mm dia bolts of grade 4.6

For bolt of 16 mm dia, as per IS-800, the minimum width of lacing flat is (mm) 48

Let us provide 50 mm thk lacing flats.

Minimum thickness (in mm) of lacing flat = $1/40 \times$ length of flat between inner bolts = 33.58757

= 35 mm

Minimum radius of gyration, $r = t / \sqrt{12} = 10.10363$ mm

$L/r = 132.9723 < 145$

For, $L/r = 132.9723$ and $f_y = 250.00$ N/mm²

$f_{cd} = 71.1734$ N/mm²

Design compressive strength, $P_d = A_e \cdot f_{cd} = 124.5535$ kN > 19.65394 kN

which is sufficient. Hence Ok.

Tensile check:

1) $0.9 (B - d_o) \times t \times f_u / \gamma_{m1} = 330.624$ kN

2) $A_g \times f_y / \gamma_{m0} = 397.7273$ kN

Hence 330.624 kN > 19.65394 kN

Hence Ok.

Connection:

Assuming the bolts of 16 mm dia are placed as shown, the bolts will be in double shear.

Strength of bolt in double shear:-

$= 2 \times A_{nb} \times f_{ub} / \sqrt{3} \gamma_{mb} = 58.01216$ kN

Where, for bolts with 16 mm dia,

$A_{nb} = 157$ mm²

Strength of bolt in bearing:-

$= 2.5 K_b d t f_u / \gamma_{m1b} = 459.2$ kN

Hence strength of bolt = 58.01216 kN

Force on bolt from lacing flat = $2 \times V_t \cdot \cot \theta / N = 27.79488$ kN

No. Of bolts required = $0.479122 = 1$

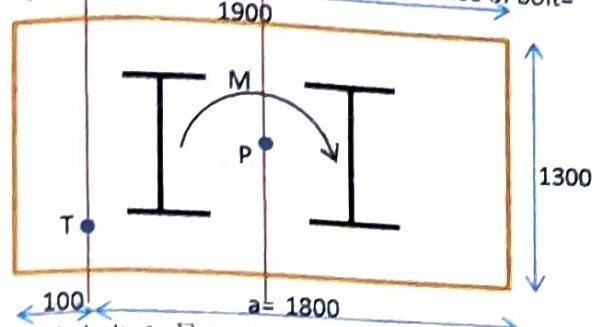
Hence provide 1 no. Of bolt of dia = 16 mm on each end of lacing flats

of size = 1345 x 50 x 35 mm

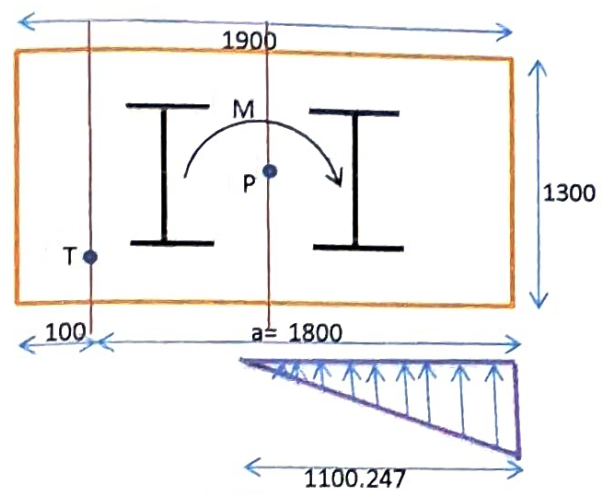
BASE PLATE DESIGN

DESIGN OF BASE PLATE :

Moment at the base, $M = 648.4555 \text{ kN-m}$ (from the design of column)
 And force, $P = 1111.795 \text{ kN}$
 So, $M_d = 1.5M = 972.6832 \text{ kN-m}$ and $P_d = 1.5P = 1667.693 \text{ kN}$
 Length of the base plate required = 1710 mm
 Let us provide length of base plate = 1900 mm
 Width of base plate = $2/3$ of length = 1266.667 mm
 Let us provide width of base = 1300 mm
 Now, eccentricity, $e = M/P = 583.2509 \text{ mm}$
 Again, $L/6 = 316.6667 \text{ mm}$ So, e is $>$ $L/6$
 Let, $f_{ck} = 25 \text{ N/mm}^2$ and edge distance of bolt = 100 mm



Let $T =$ tension in bolt. As $\sum V = 0, T = 7312.5 \cdot x - P \dots (i)$
 Again as $\sum M = 0$ about the point where the resultant of the compressive stress diagram intersect at base level,
 $M - P(L/2 - x/3) - 7312.5 \cdot x(a - x/3) + P(a - x/3) = 0 \dots (ii)$
 Or, $x = 201.1205 \text{ mm}$
 So, from (i), $T = -196.9991 \text{ kN}$
 $L/3(\text{mm}) = 633.3333 > 583.2509 (e)\text{mm} > 316.6667 L/6(\text{mm})$
 So, most part of the base plate is in compression with little or negligible tension on the remaining part.
 That is from eqn (ii), $x = 1100.247 \text{ mm}$



f_{ck} calculated = 5.182029 N/mm^2
 Now, $0.45 f_{ck}/x = m' / 345$ or, $m' = 0.731208 \text{ N/mm}^2$

Moment about I-I section = $M_{II} = 56.63436 \text{ kN-m}$
 Now, $M_d = 1.5 \cdot Z_e \cdot f_y / \gamma_{mo} = 73863.64 d^2$ or, $d = 27.69011 \text{ mm}$
 Provide baseplate of thickness, $d = 28 \text{ mm}$
 Provide baseplate of size =

1900	x	1300	x	28	mm
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DESIGN OF BOLTS :

Considering 4.6 grade bolt, $f_{yb} = 240$ N/mm²
And $f_{ub} = 400$ N/mm²

Assuming dia of bolt, $d = 30$ mm, dia of hole, $d_o = 33$ mm
 $A_n = 561$ mm²

Tension capacity of bolt:

From cl. 10.3.5 of IS 800:2007, $T_{db} =$ least among T_{nb}/γ_{nb} and $f_y A_{sb}/\gamma_{mo}$
 $= 0.9 f_{ub} A_n / \gamma_{nb} = 122.4$ kN
 $= 161.568$ kN

Hence, $T_{db} = 122.4$ kN

Bearing capacity of bolt:

$V_{dpb} = 2.5 K_b d t f_u / \gamma_{nb} = 672$ kN

Where, K_b is the least among:

(let, end distance, e (mm) = 100

pitch of bolts, p (mm) = 200

$e/3d_o = 1.010101$

$p/3d_o - 0.25 = 1.770202$

$f_{ub}/f_u = 0.97561$ and 1

that is, $k_b = 0.97561$

Shear capacity of bolt:

$V_{dsb} = f_u \times (n_n A_{nb} + n_s A_{sb}) / \sqrt{3} \gamma_{nb} = 103.6459$ kN

Factored SF from column = 144.6732 kN

Bolts required = 1.395841 =

Let us provide 4 nos. of 30 mm dia bolt on each side.

Combined check:

Now, factored SF per bolt, $V_{sb} = 36.16831$ kN

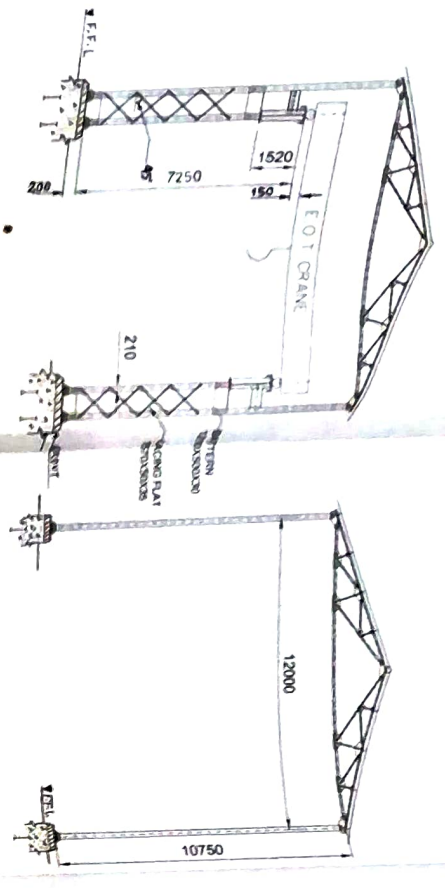
Factored tensile force per bolt, $T_b = 0$ kN

So, $(V_{sb}/V_{dsb})^2 + (T_b/T_{db})^2 = 0.121773 < 1$

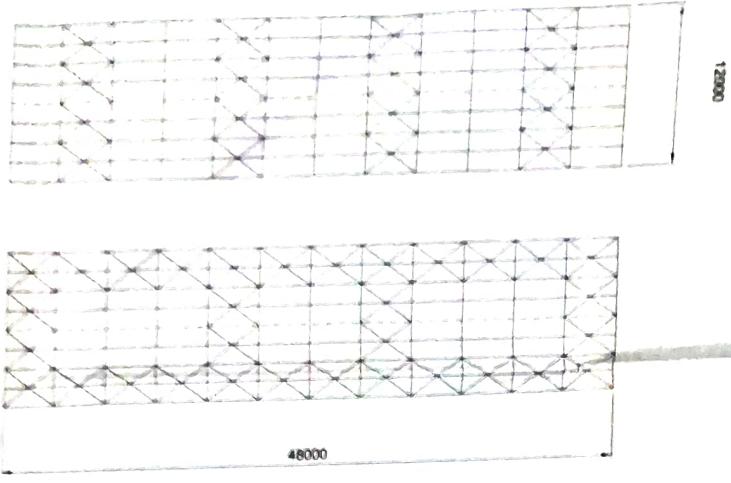
Hence Ok.

Let us provide 4 nos. of 30 mm dia bolt of grade 4.6 each side

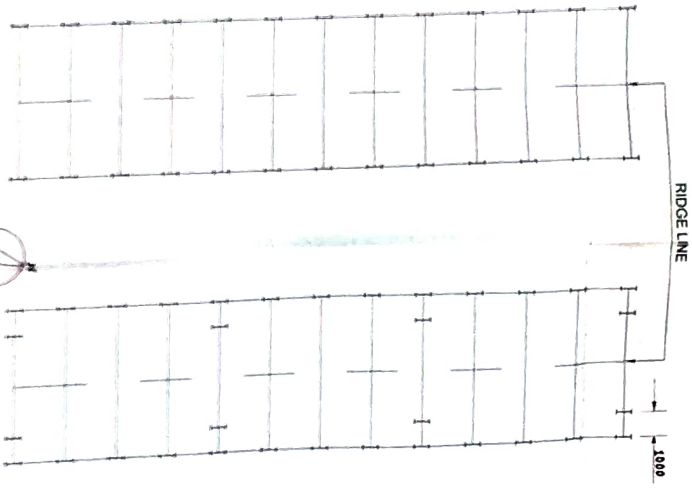
DRAWING



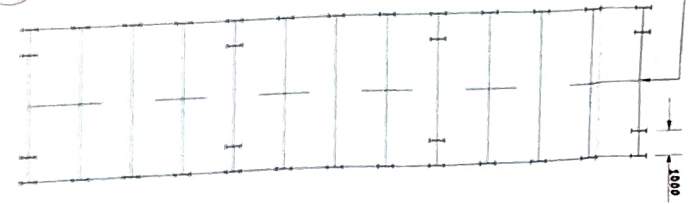
SECTION OF TRUSS WITH ROOF COLUMN AND GALLERY COLUMN SECTION OF TRUSS WITH ROOF COLUMN
SCALE 1:100



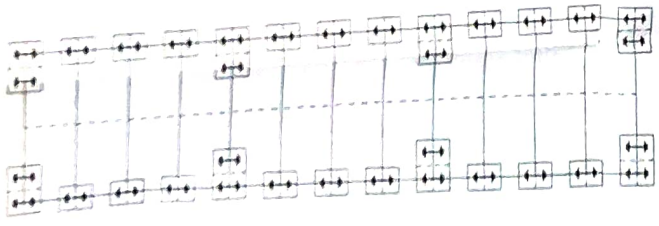
SECTION OF TRUSS WITH ROOF COLUMN AND GALLERY COLUMN SECTION OF TRUSS WITH ROOF COLUMN
SCALE 1:100



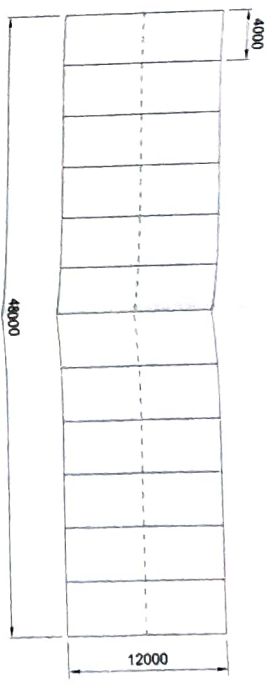
RIDGE LINE
SCALE 1:100



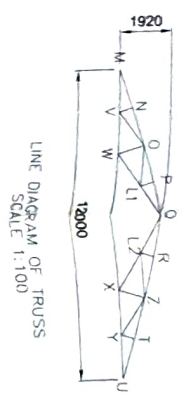
COLUMN PLAN AT GALLERY LEVEL
SCALE 1:200



COLUMN PLAN AT ROOF LEVEL
SCALE 1:200



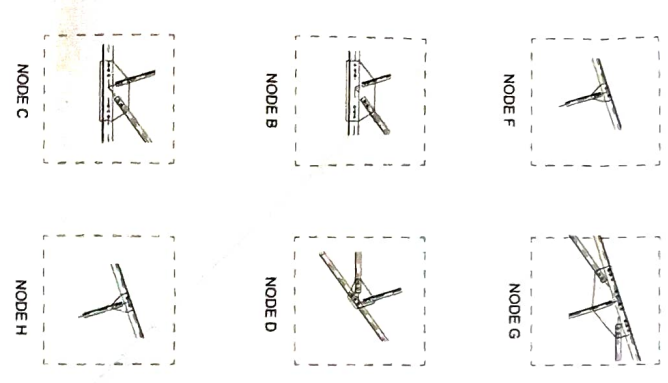
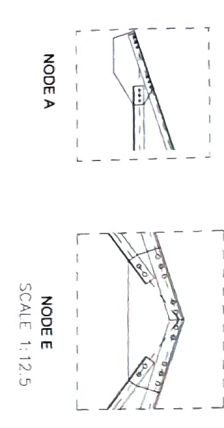
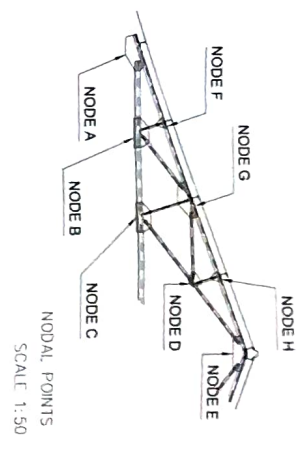
GRID PLAN
SCALE 1:200



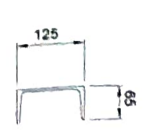
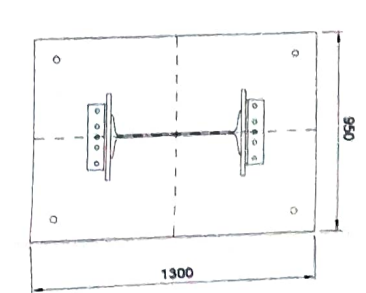
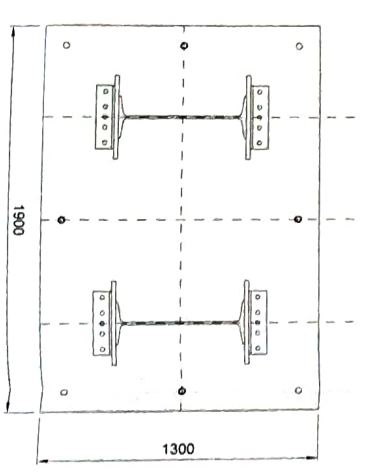
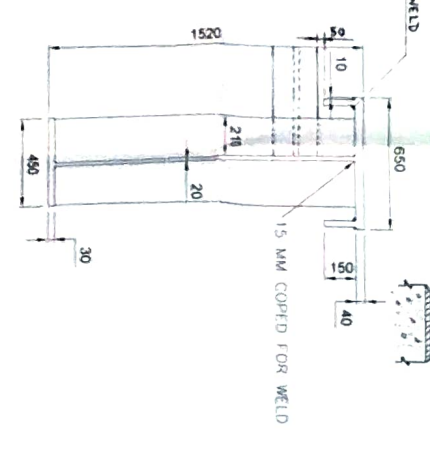
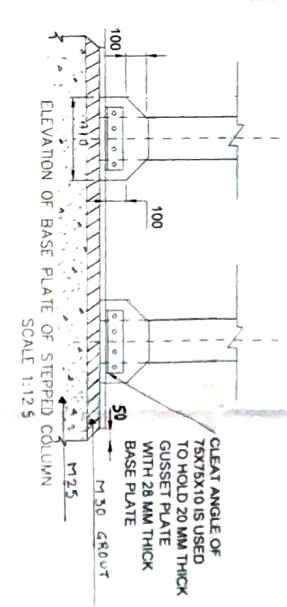
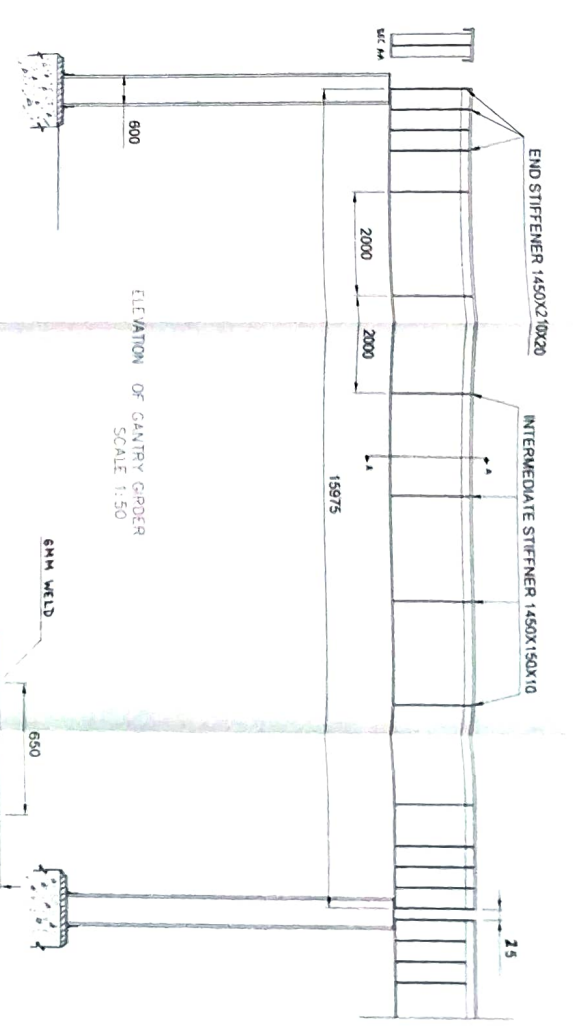
LINE DIAGRAM OF TRUSS
SCALE 1:100

- NOTE
- 1) ALL DIMENSIONS ARE IN MM
 - 2) SPAN OF TRUSS 12000
 - 3) LENGTH OF FACTORY SHED 48000
 - 4) SPAN OF TRUSS 4000
 - 5) SPACING OF GALLERY COLUMN 16000
 - 6) HEIGHT OF COLUMN 10750
 - 7) HEIGHT OF RAIL LEVEL 7600
 - 8) PITCH OF TRUSS 016
 - 9) CRANE CAPACITY 50000
 - 10] GRADE OF STEEL USED FE 410
 - 11] FOR MORE DETAILS REFER TO SHEET NO 2

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 AND MANAGEMENT
 NAME: **Harsh Roy Mahapatra** ROLL NO: **150101010101**
 DATE: **15/08/2024**



CONNECTIONS DETAILS OF TRUSS MEMBERS
SCALE 1:25



TABLE

COMPONENT MATERIALS

ITEM NO	DESCRIPTION	QTY	UNIT	REMARKS
1	1450X210X20	40	kg	
2	1450X150X10	40	kg	
3	1450X100X10	40	kg	
4	1450X75	40	kg	
5	1450X50	40	kg	
6	1450X25	40	kg	
7	1450X12.5	40	kg	
8	1450X6.25	40	kg	
9	1450X3.125	40	kg	

- 1) ALL DIMENSIONS ARE IN MM
- 2) SWS 600 COLUMN IS USED
- 3) BIRM OF 13AC 125 IS USED
- 4) GRADE OF BOLTS USED 4.6
- 5) 6 SHEETS OF WT 6/11/1/2
- 6) FOR DETAILS REFER TO SHEET NO 1
- 7) STEEL OF GRADE II 419 IS USED
- 8) BASE PLATE DIM 1900X1500X28
- 9) STIFFENERS OF CANTILEVER

TABLE

MEMBER PROPERTIES

MEMBER	WEIGHT/1000 MM	SECTION
TOP FLANGE	650	40
BOTTOM FLANGE	450	30
WEB	1450	20

APPENDIX OF CIVIL ENGINEERING

CALCULATIONS OF STRUCTURAL AND CONNECTIONS

DATE OF SUBMISSION: 20/05/2014

NAME: ANIL KUMAR

ROLL NO: 14501511014

DATE OF SUBMISSION: 20/05/2014

NAME OF SUPERVISOR: Mr. R. Srinivasan

REFERENCE

- 1 IS:800-2007
- 2 SP:6(1) 1964
- 3 IS:875(Part3)-1987
- 4 SP:38
- 5 Limit state design of Steel Structures (S K Duggal)

THANK YOU